

Past and future TPE experiments

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in Nuclear Science



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University

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Cross section for elastic scattering

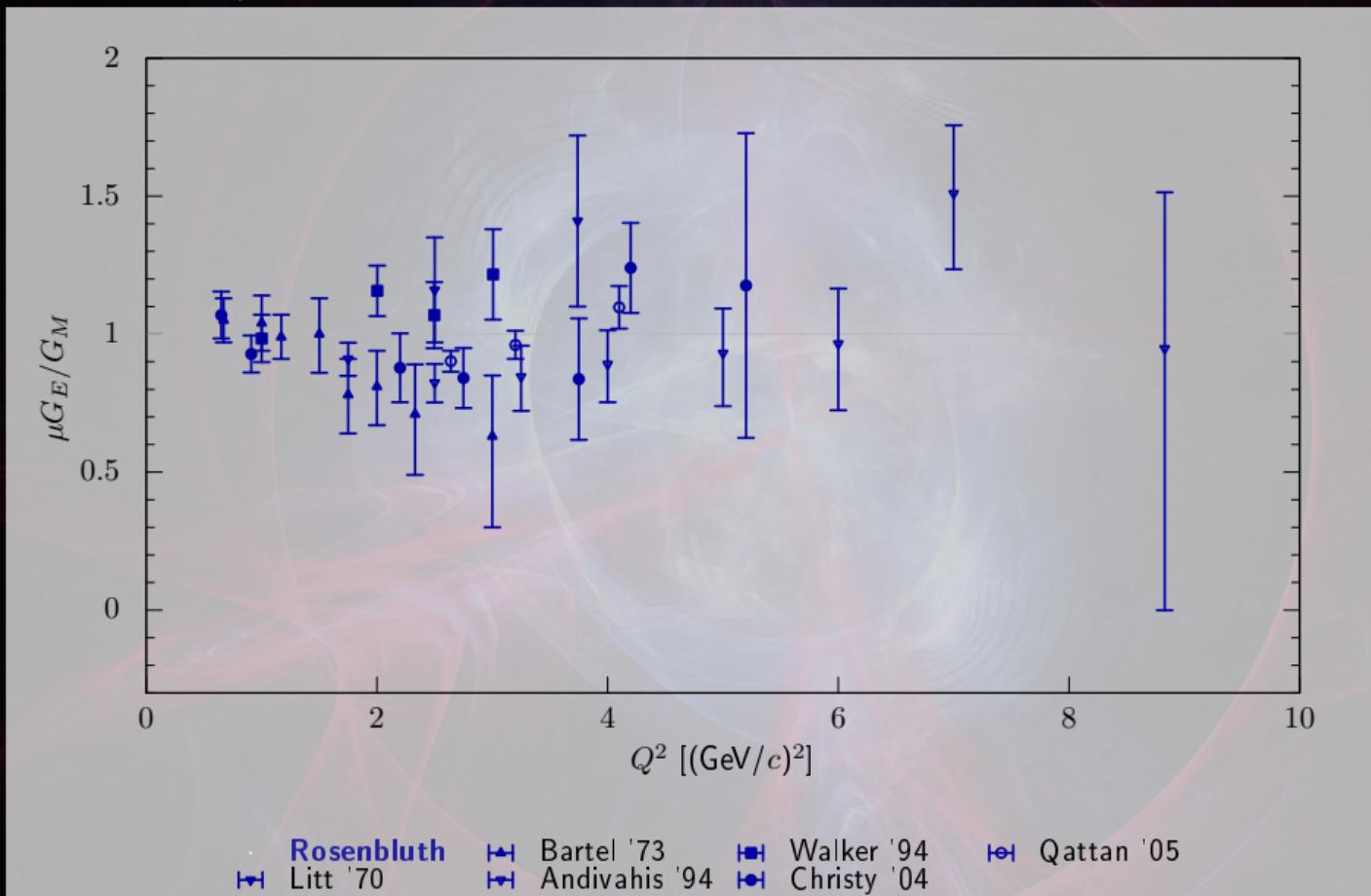
$$\frac{\left(\frac{d\sigma}{d\Omega}\right)}{\left(\frac{d\sigma}{d\Omega}\right)_{\text{Mott}}} = \frac{1}{\varepsilon(1+\tau)} \left[\varepsilon G_E^2(Q^2) + \tau G_M^2(Q^2) \right]$$

with:

$$\tau = \frac{Q^2}{4m_p^2}, \quad \varepsilon = \left(1 + 2(1+\tau) \tan^2 \frac{\theta_e}{2} \right)^{-1}$$

- » Rosenbluth formula
- » Electric and magnetic form factor encode the shape of the proton
- » Is shape of G_E and G_M similar? \Leftrightarrow Are distributions similar?

Values for $\mu G_E/G_M$ from Rosenbluth experiments

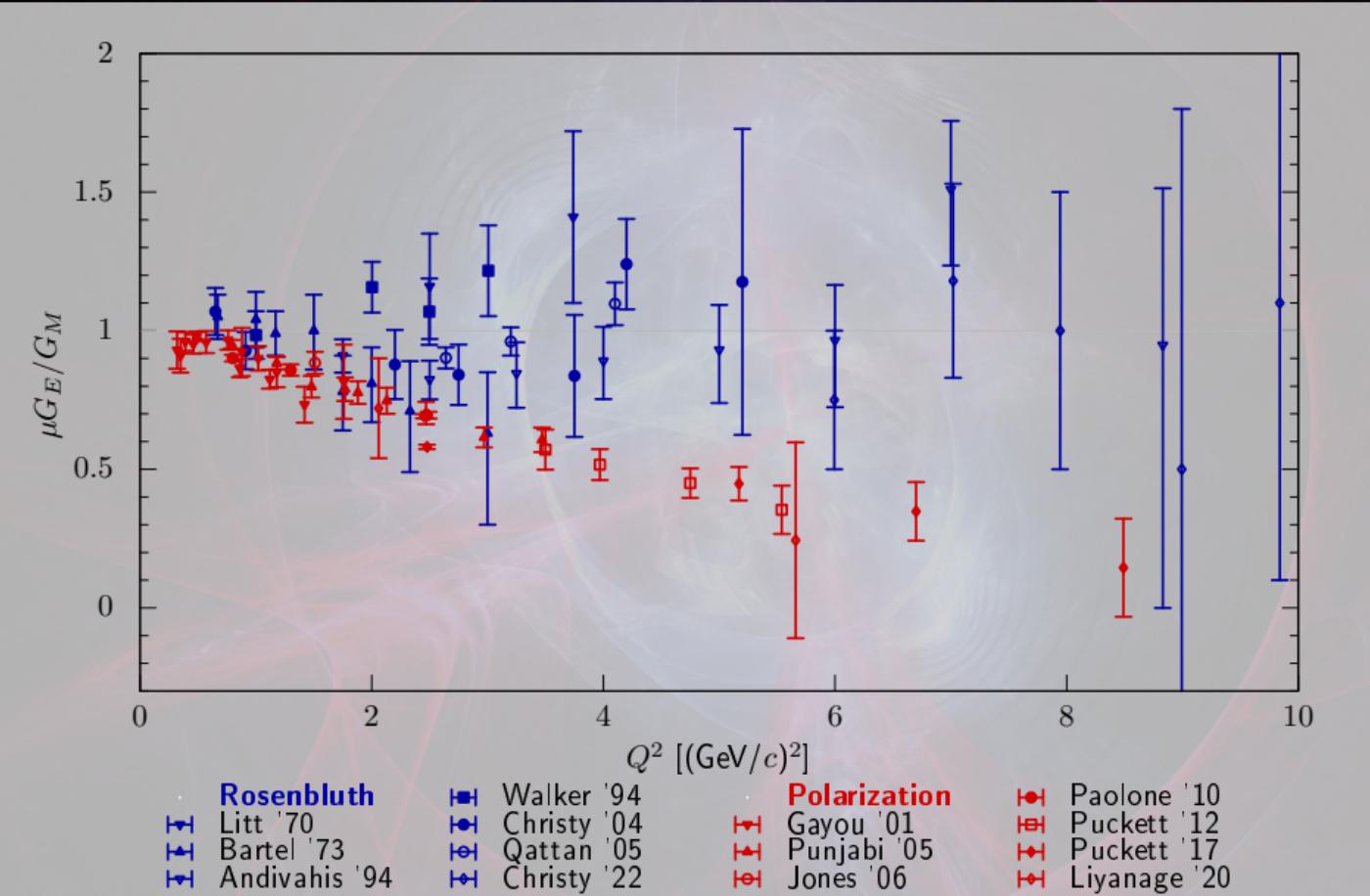


Polarization can help

$$\left(\frac{d\sigma}{d\Omega} \right) \propto \varepsilon G_E^2(Q^2) + \frac{Q^2}{4M^2} G_M^2(Q^2)$$

- » At large Q^2 , G_M part dominant $\Rightarrow G_E$ hard to extract
- » Polarization transfer or beam-target asymmetry: Access $\frac{G_E}{G_M}$ (only)

The (other) puzzle



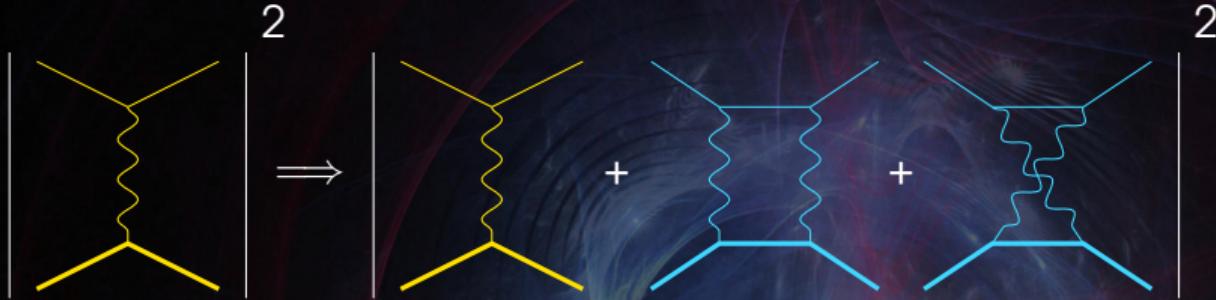
Expected explanation: Two Photon Exchange



2

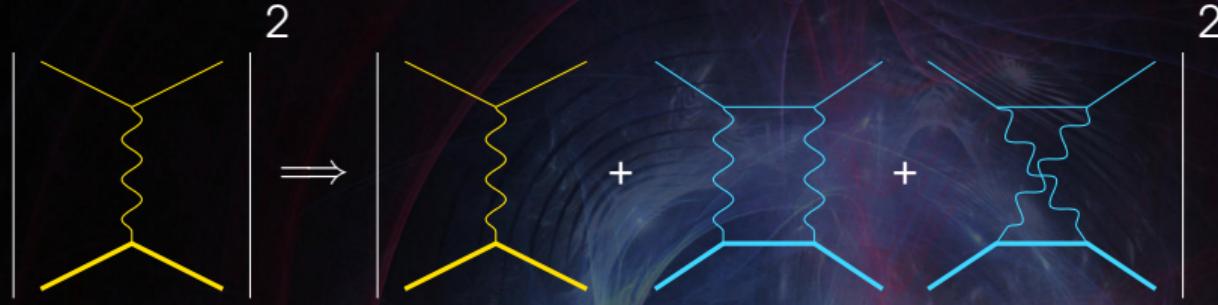
$$\sigma_{\text{exp}} \propto |M_{1\gamma}|^2$$

Expected explanation: Two Photon Exchange



$$\sigma_{\text{exp}} \propto |M_{1\gamma}|^2 \pm 2\Re \left\{ M_{1\gamma}^\dagger M_{2\gamma} \right\} + |M_{2\gamma}|^2$$

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Rosenbluth:

$$\sigma_{\text{exp}} = \sigma_{1\gamma} (1 \pm \delta_{TPE})$$

(Negligible correction for polarization data)

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Rosenbluth:

$$\sigma_{\text{exp}} = \sigma_{1\gamma} (1 \pm \delta_{TPE})$$

(Negligible correction for polarization data)

Can measure:

$$R_{2\gamma} = \frac{1 + \delta_{TPE}}{1 - \delta_{TPE}} \propto \frac{\sigma(e^+ p)}{\sigma(e^- p)}$$

Direct measurements: Three modern experiments

CLAS

- » e^- to γ to $e^{+/-}$ -beam
- » Phys. Rev. C 95, 065201 (2017)
- » PRL 114, 062003

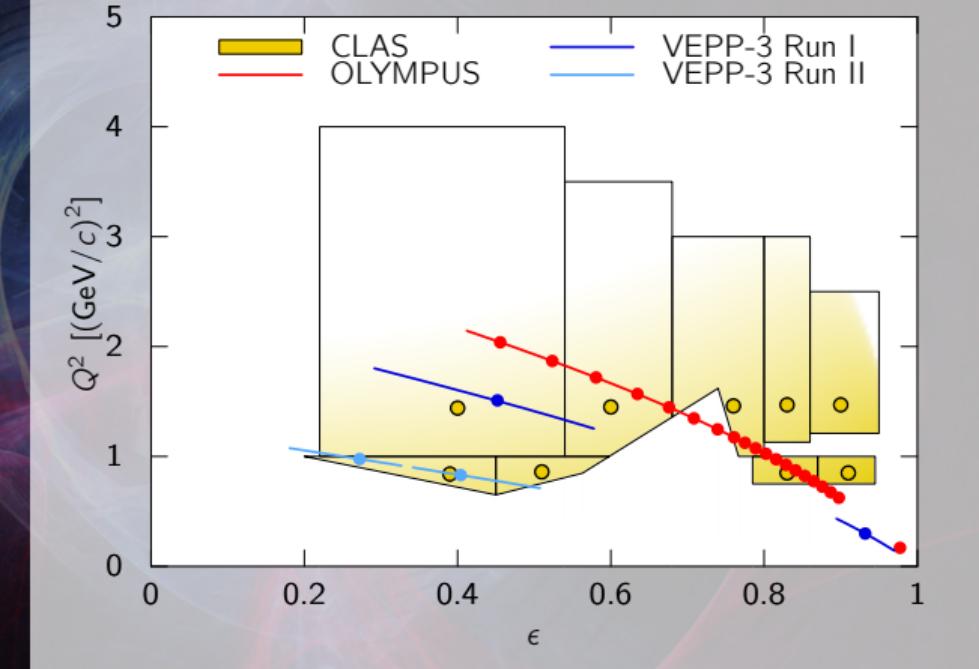
VEPP-3

- » 1.6/1 GeV beam
- » no field
- » Phys. Rev. Lett. 114, 062005 (2015)

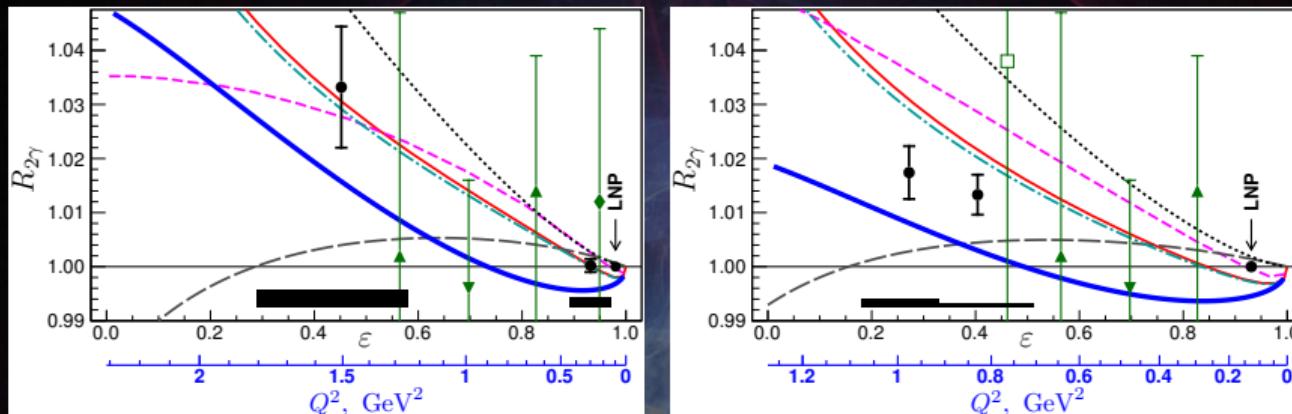
OLYMPUS

- » DORIS @ DESY
- » 2 GeV beam
- » Phys. Rev. Lett. 118, 092501 (2017)

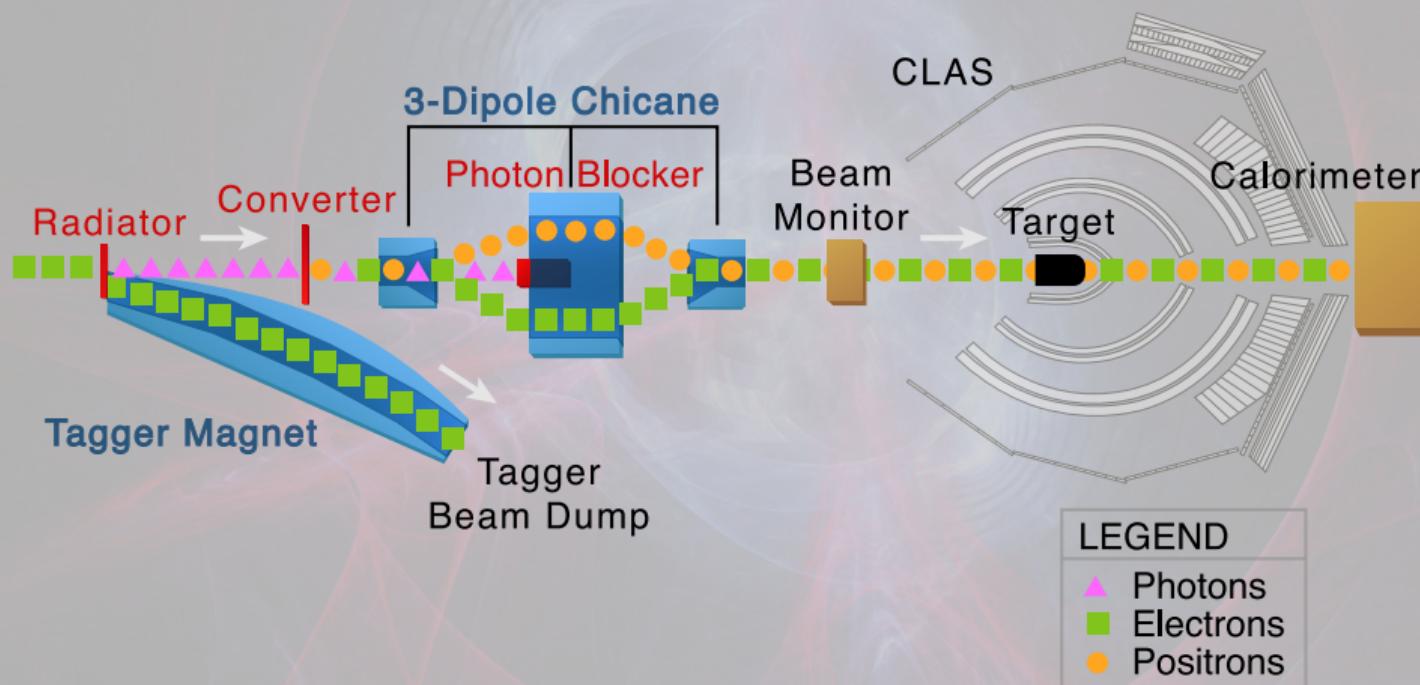
Kinematic Reach of Two-Photon Experiments



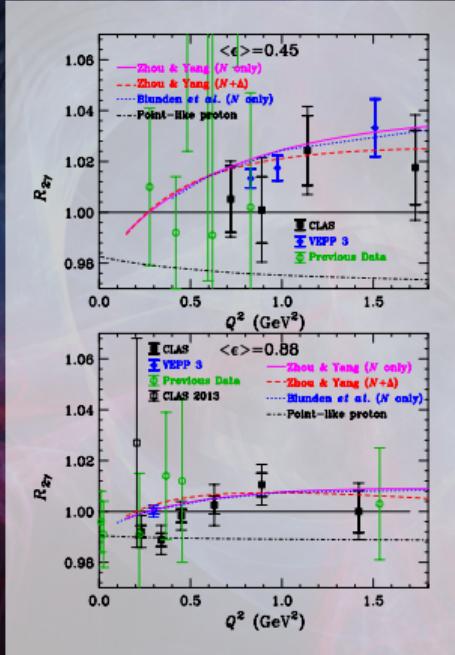
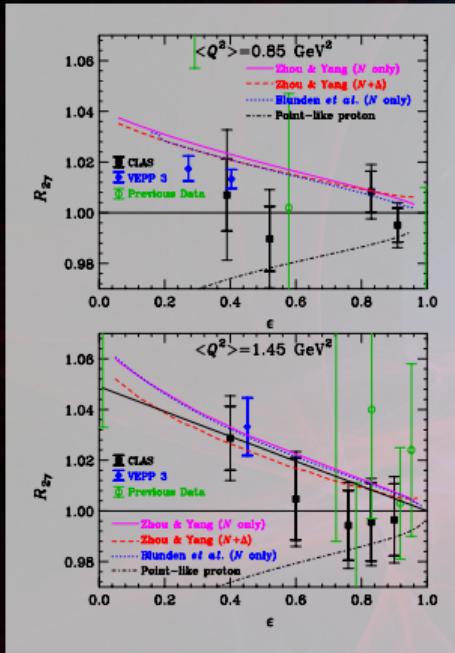
VEPP-3 results (I. A. Rachek et al., Phys. Rev. Lett 114, 062005)



	$R_{2\gamma}^{\text{LNP}}$	$\frac{\chi^2}{n_{\text{d.f.}}}$	$R_{2\gamma}^{\text{LNP}}$		$\frac{\chi^2}{n_{\text{d.f.}}}$
			Run-I	Run-II	
Borisuk and Kobushkin	1	2.14	0.998	0.997	3.80
Blunden, et al.	1	2.94	0.998	0.997	4.75
Bernauer, et al.	1	4.19	0.997	0.995	1.00
Tomasi-Gustafsson, et al.	1	5.09	1.001	1.001	5.97
Arrington and Sick	1	7.72	1.000	1.000	8.18
Qattan, et al.	1	25.0	1.000	1.002	22.0
No hard TPE ($R_{2\gamma} \equiv 1$)	1	7.97	1	1	7.97



CLAS (D. Rimal et al., arXiv:1603.00315 , D. Adikaram et al., Phys. Rev. Lett 114, 062003) (color adjusted)

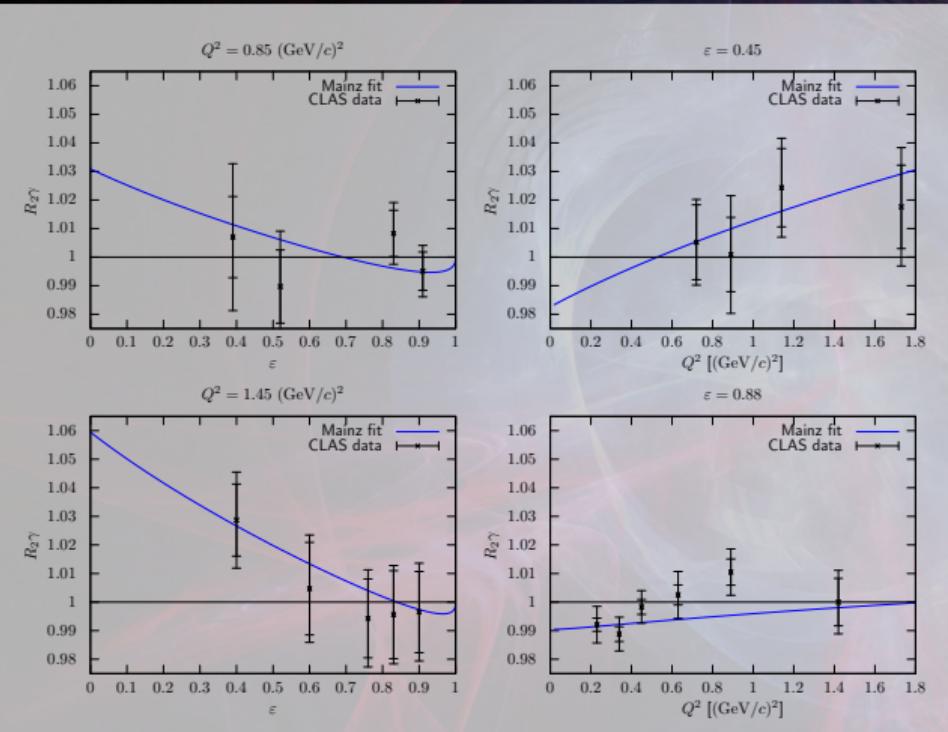


Fit to world data set:

- » 12 non-overlapping points from CLAS
- » 4 Vepp-3 points

	$\frac{\chi^2}{n_{\text{d.f.}}}$
Z & Y (N)	1.09
Z & Y ($N+\Delta$)	1.03
Blunden (N)	1.06
No TPE	2.10
Point-proton	6.96

CLAS data + Mainz prediction

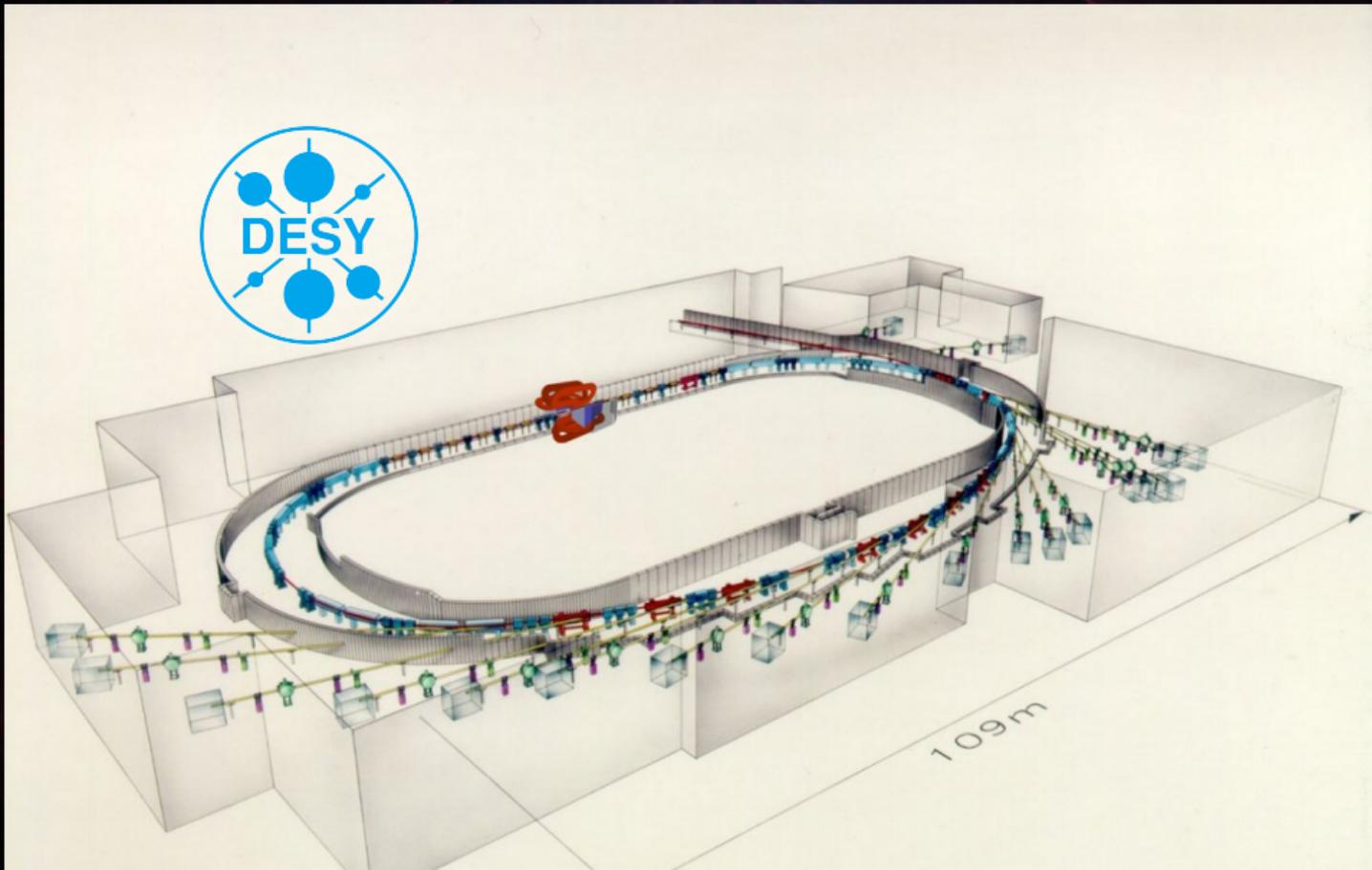


Comparison
with
predictions:

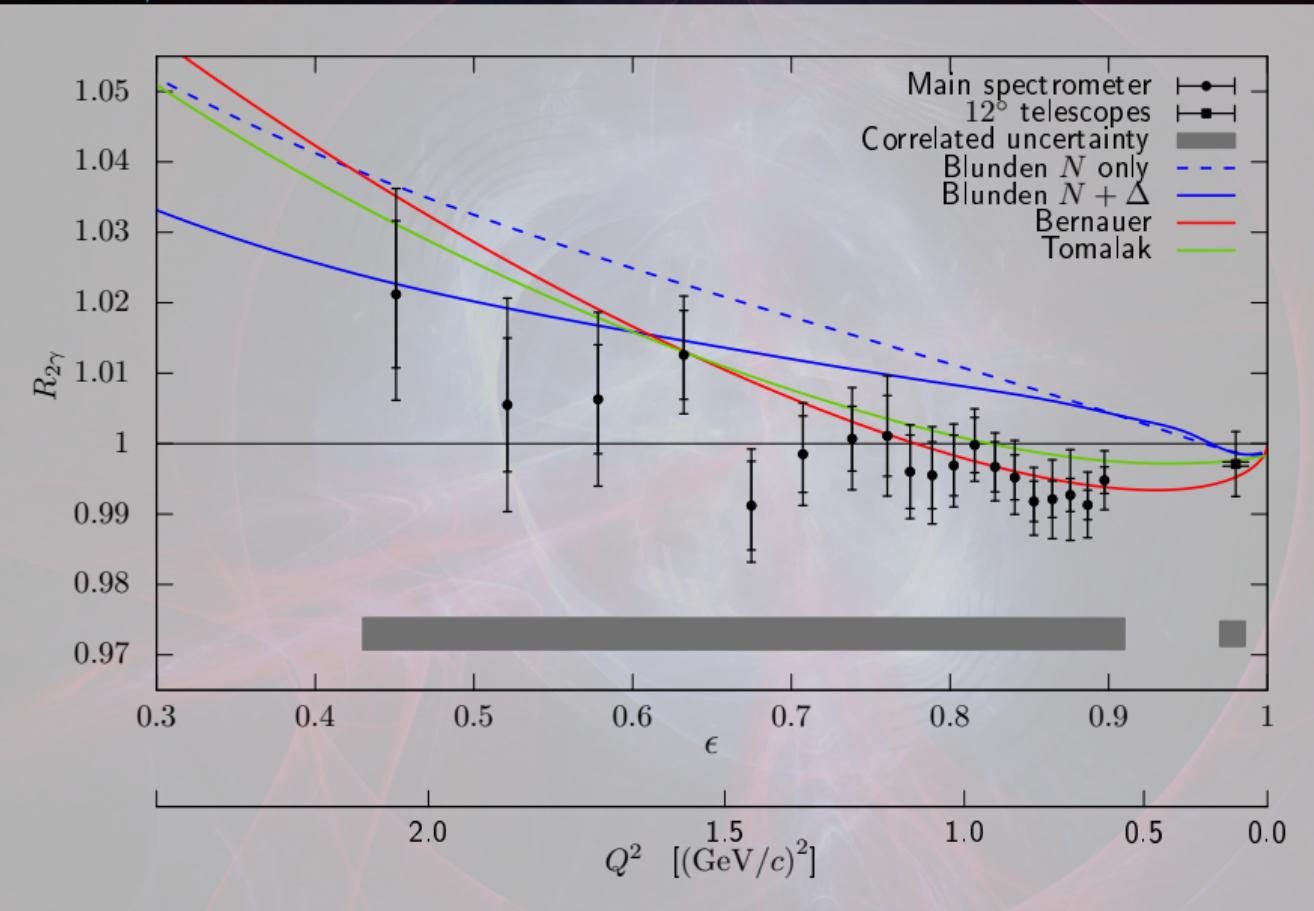
- » 12 non-overlapping points from CLAS
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	$\frac{\chi^2}{n_{d.f.}}$
Z & Y (N)	1.09
Z & Y ($N+\Delta$)	1.03
Blunden (N)	1.06
No TPE	2.10
Point-proton	6.96
Mainz	0.666

OLYMPUS at DESY/DORIS



OLYMPUS $R_{2\gamma}$ result (B. Henderson et al., PRL 118, 092501 (2017))



Can we squeeze more out of OLYMPUS?

If

$$\sigma_{e^+} = \sigma_{1\gamma} (1 + \delta_{TPE})$$

and

$$\sigma_{e^-} = \sigma_{1\gamma} (1 - \delta_{TPE})$$

Then:

$$\sigma_{1\gamma} = \frac{\sigma_{e^+} + \sigma_{e^-}}{2}$$

Can we squeeze more out of OLYMPUS?

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and

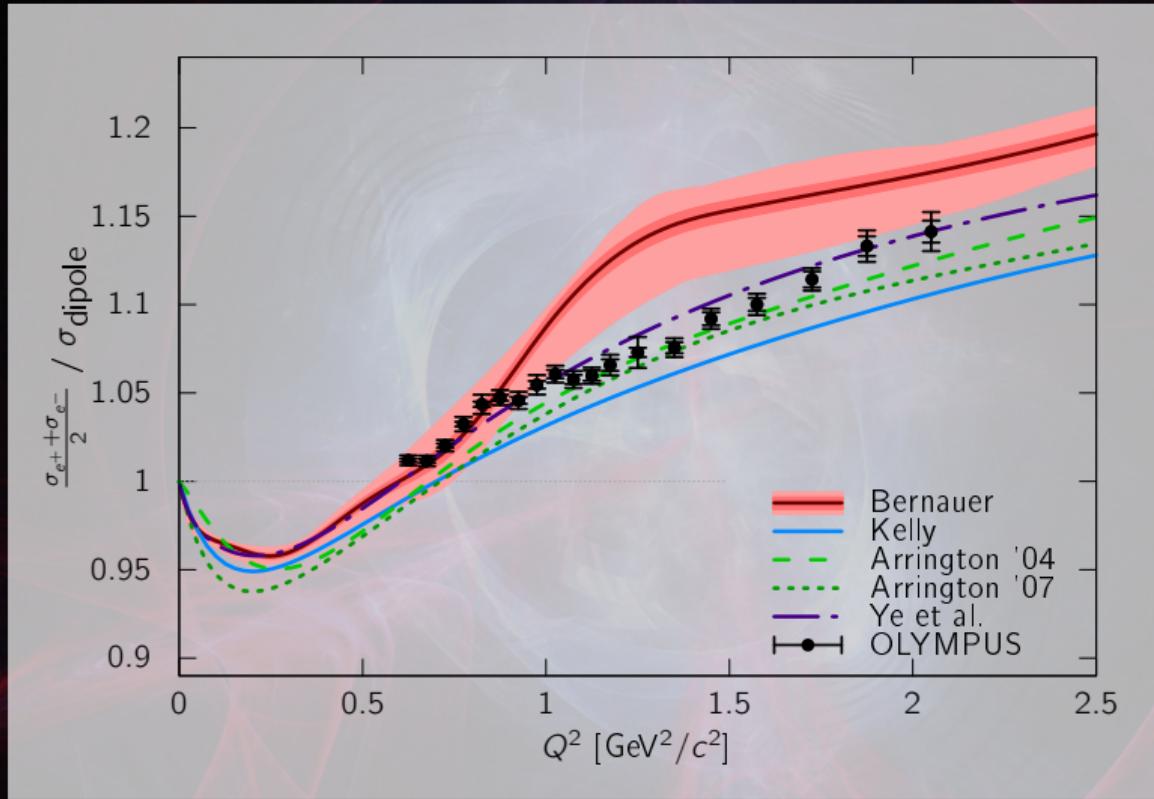
$$\sigma_{e^-} = \sigma_{1\gamma} (1 - \delta_{TPE})$$

Then:

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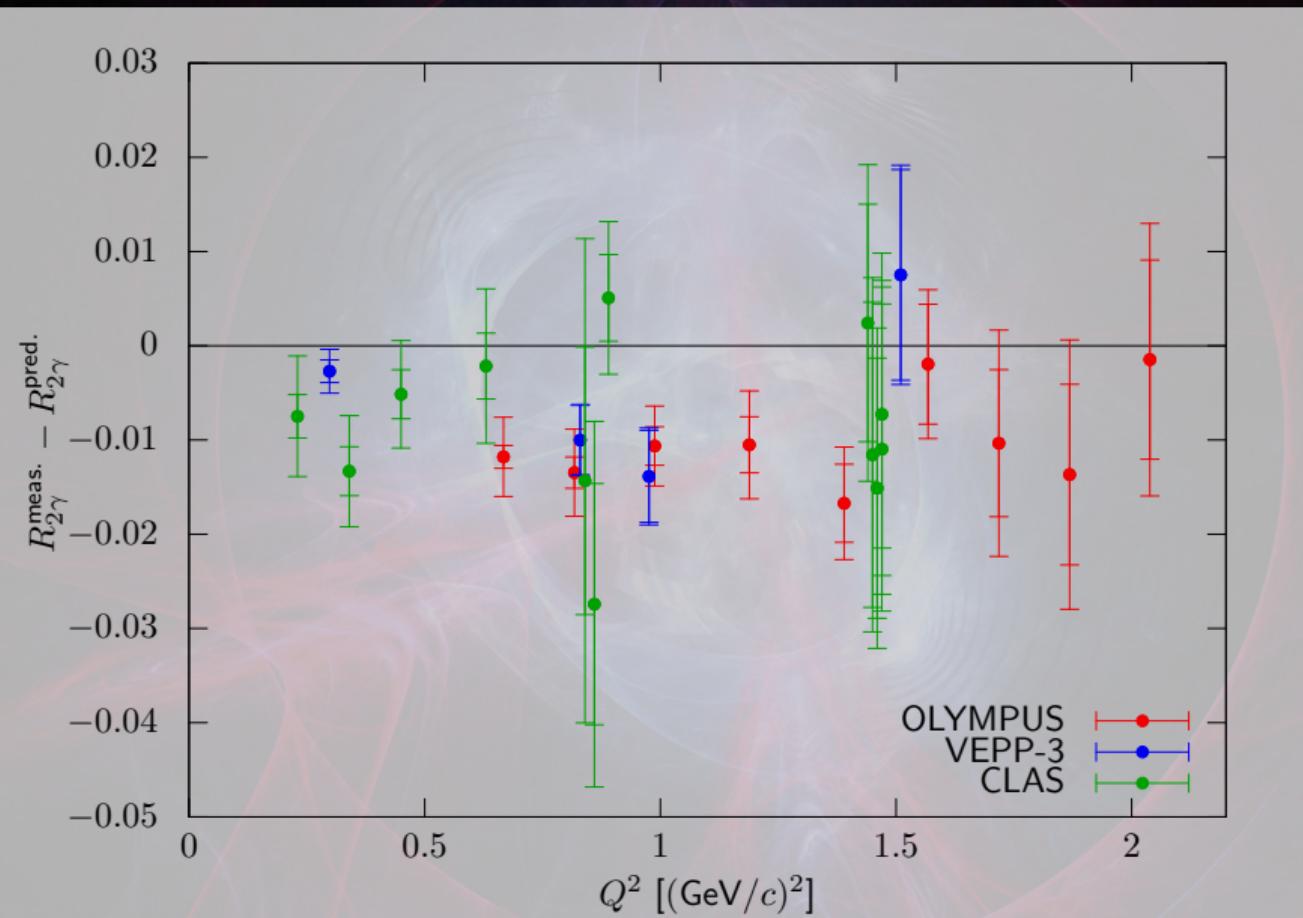
We can get an approximately non-TPE affected cross section from the charge-average!

Result (10.1103/PhysRevLett.126.162501)

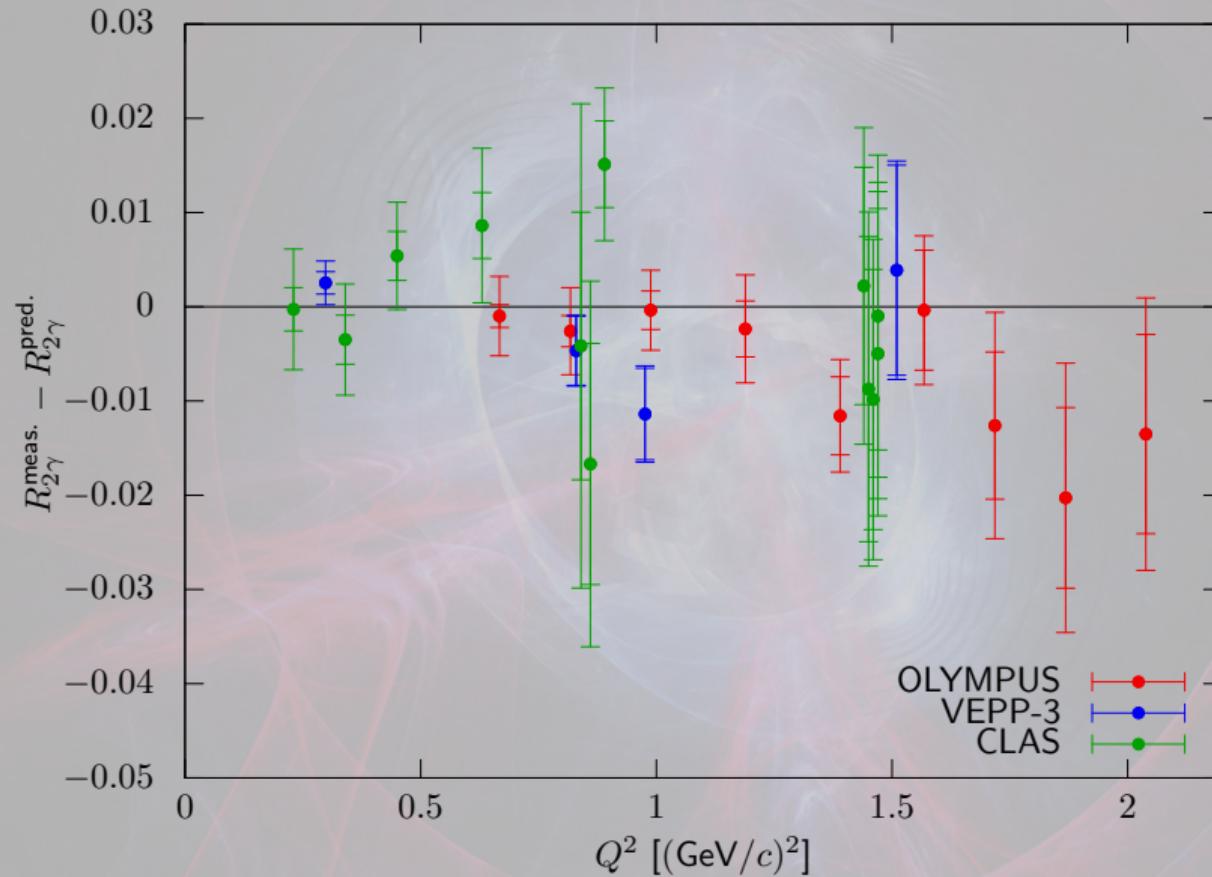


» First precision data set without TPE assumptions.

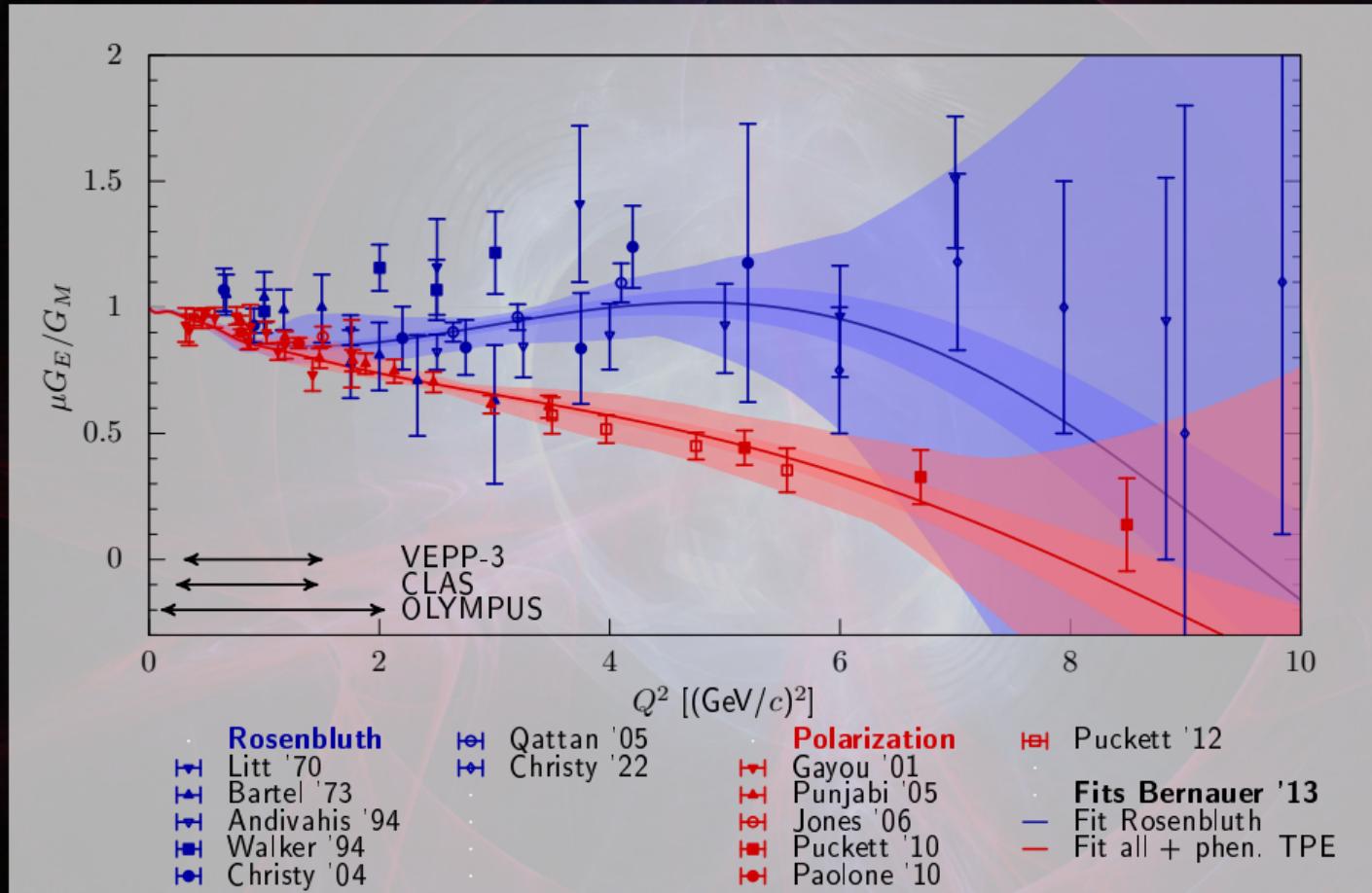
Comparison with theory



...Mainz prediction



Is that a surprise?



Next gen experiments

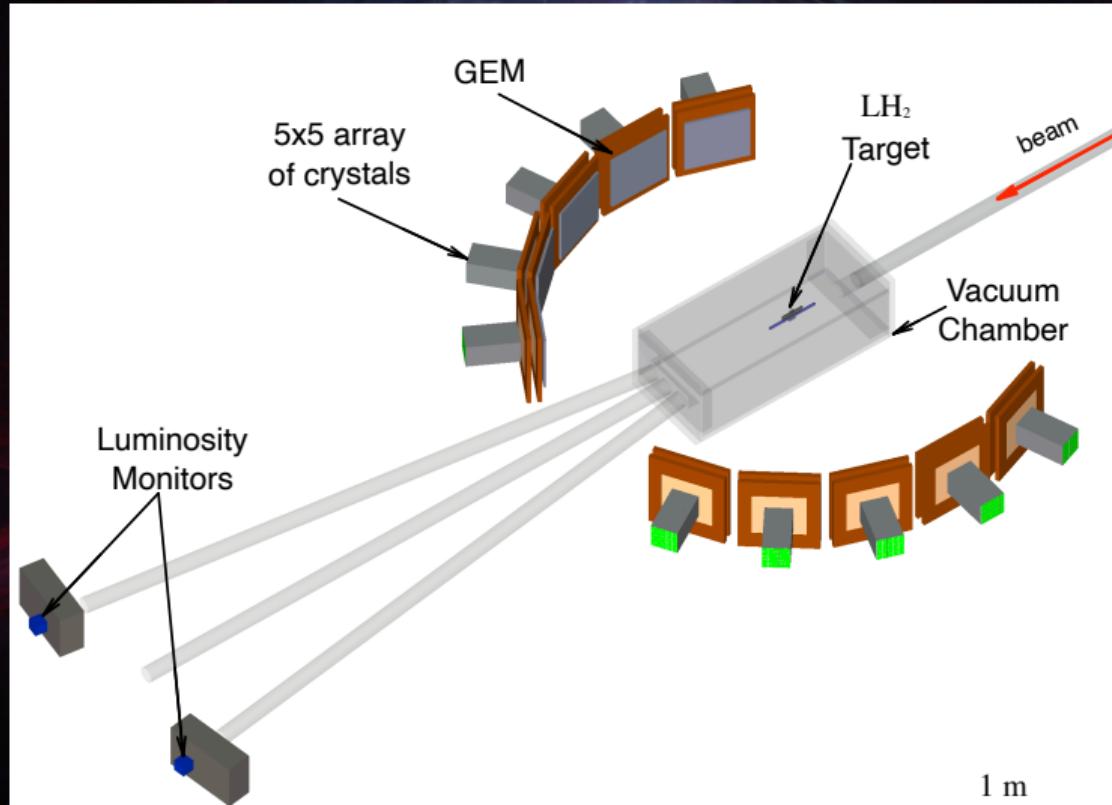
- » At small Q^2 : MUSE (some range in ε), AMBER ($\varepsilon \sim 1$)
- » At target Q^2 : Where measure?
 - » 3-5 GeV beam energy
 - » need e^+ and e^- beam of similar quality
 - » preferably external beam: thick target to get enough luminosity
 - » At least 10s of nA.

Next gen experiments

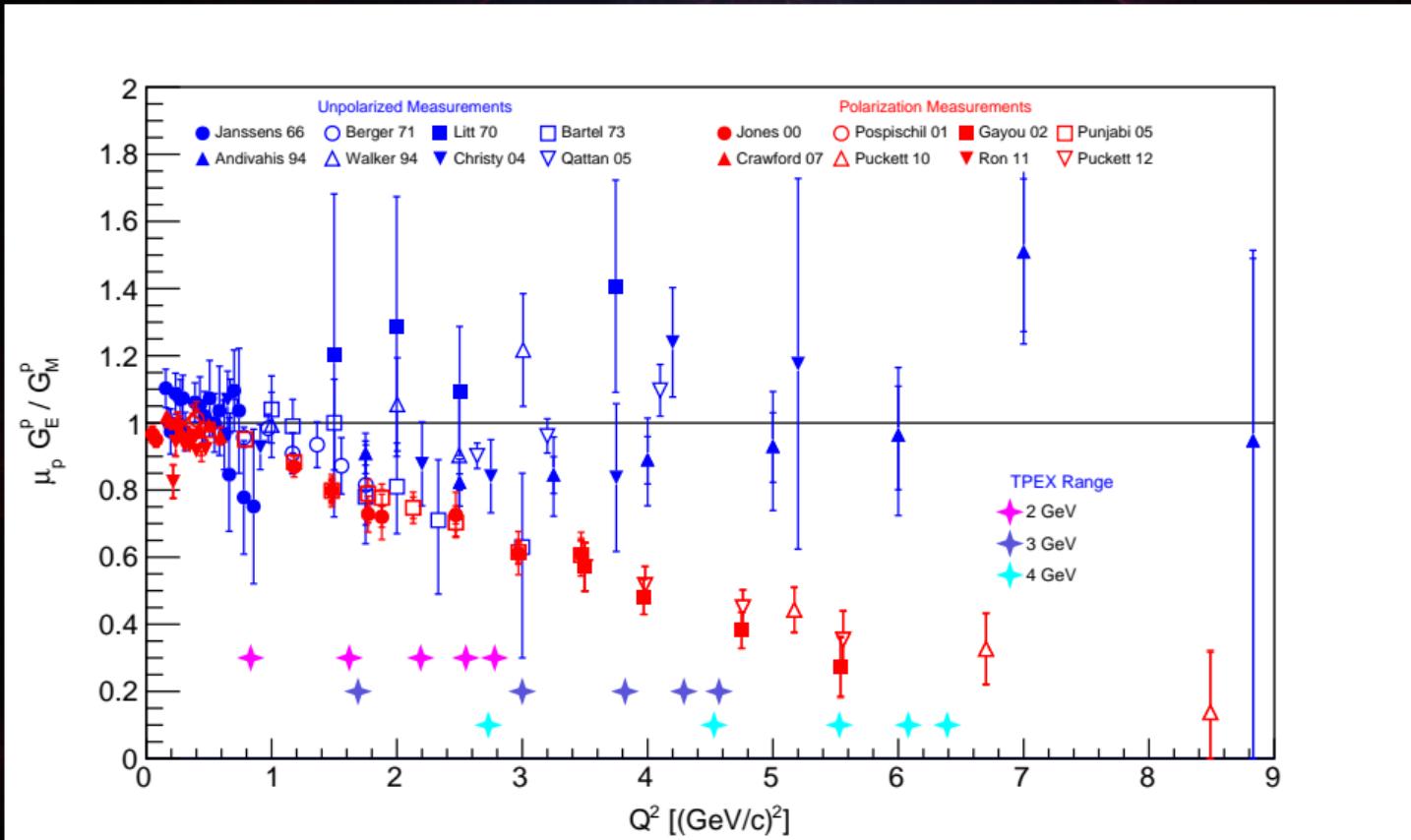
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 - » At least 10s of nA.
- » Two options: DESY, JLAB (future)

TPEX (arxiv 2301.04708)

- » DESY has e^\pm from DESY ring (feeder for PETRA, test beam)
- » Could mount experiment, but needs extracted beam line

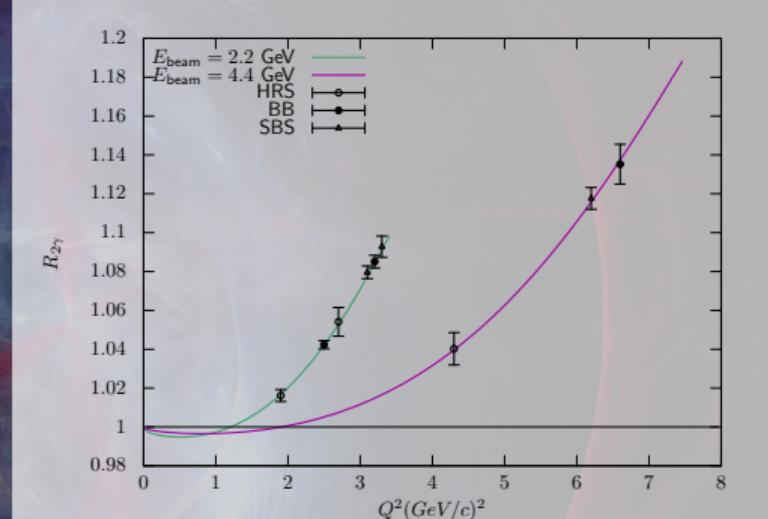
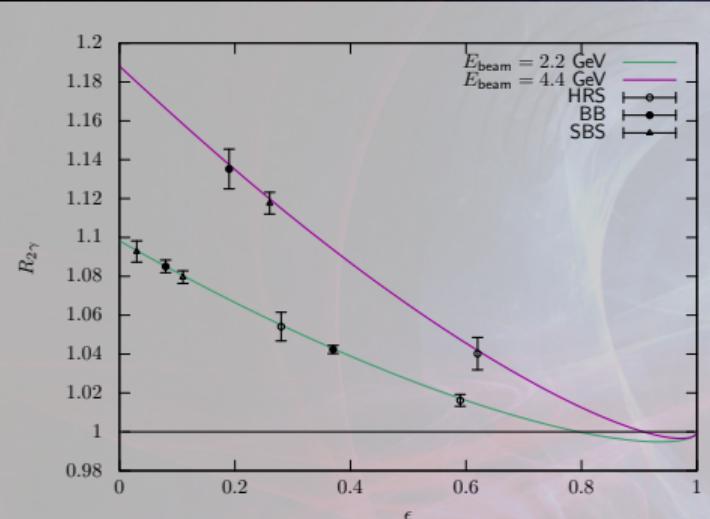


TPEX reach

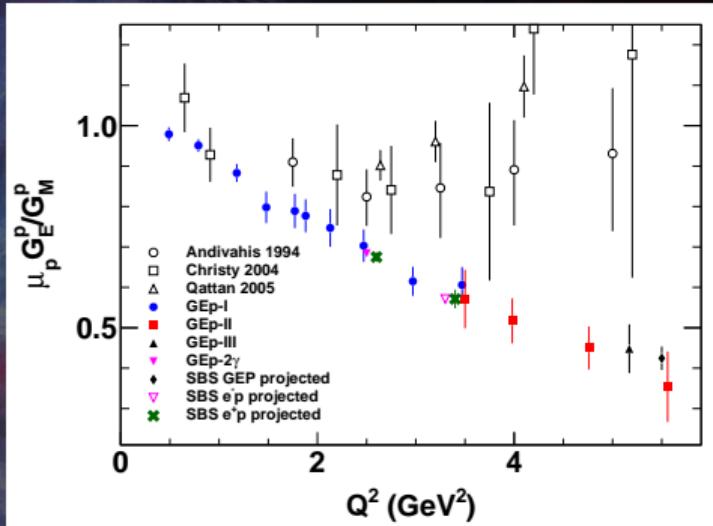
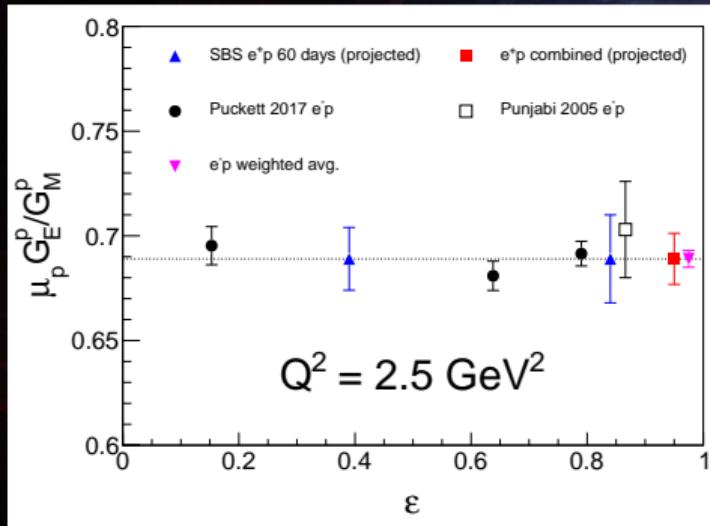


Positrons@JLAB

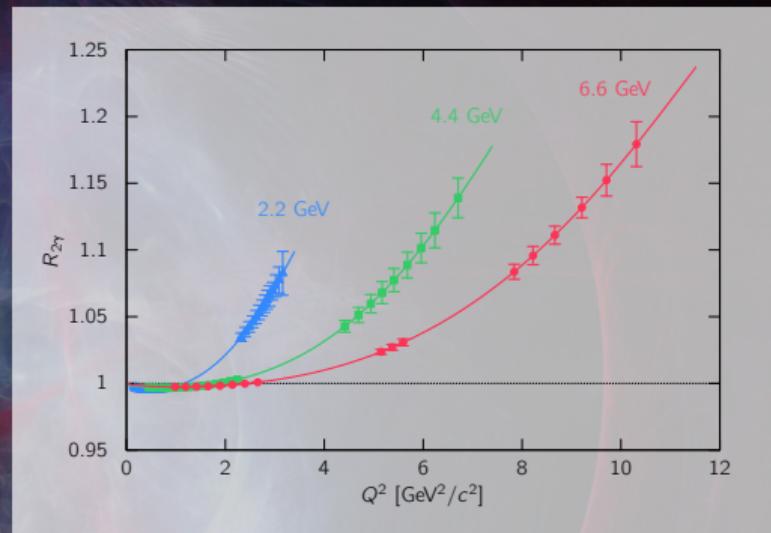
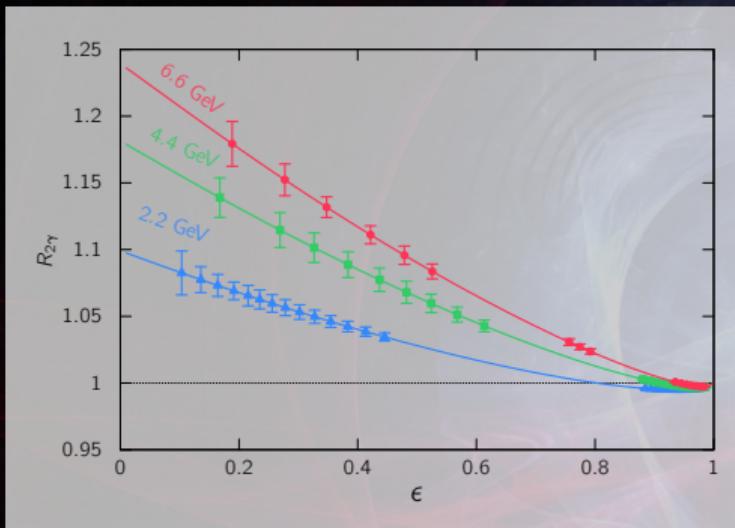
- » Future facility, not funded!
- » Timeline: 2030-2033 for first beam
- » Polarized beam, JLAB 12 energies, significant current



Hall A Polarization transfer (Eur.Phys.J.A 57 (2021) 6, 188)



» LOI submitted to PAC51



- » Updated proposal submitted to PAC51
- » Endorsed by Positron working group and CLAS collaboration

Timeline

- » MUSE/AMBER: next couple of years
- » TPEX@DESY: unknown, unlikely. If greenlit, experiment could be performed in <3 years
- » JLAB program: Unfunded, future plan. Positrons seen as a step towards energy upgrade.
 - » Timeline depends on Moller + Solid, likely 2030-2033 for first positron beam

Conclusions

- » Tested kinematics show good agreement with phenomenological predictions, mediocre agreement with theory.
- » Theory valid for higher Q^2 completely untested
- » Experimental opportunities scarce:
 - » MUSE+AMBER will test low- Q , on the “surprise” level
 - » DESY unlikely
 - » JLAB only hope?
- » Fixed target experiment comparatively easy