

# Decays of beauty to double open-charm hadrons at LHCb

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*on behalf of the LHCb collaboration*

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General overview of  
*Hadron Spectroscopy at LHCb*  
given by Zan [this morning](#)

This talk covers two  
brand-new analyses:

Observation of  $\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-$   
and  $\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-}$  decays [\[LHCb-PAPER-2023-034\]](#)

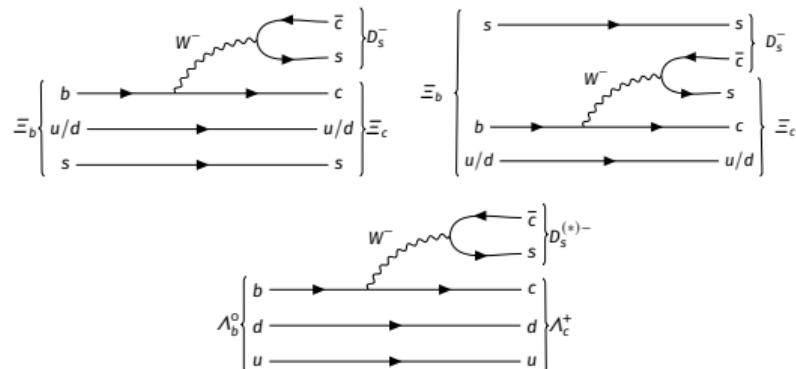
Observation of  $\Xi_b^0 \rightarrow \Xi_c^+ D_s^-$   
and  $\Xi_b^- \rightarrow \Xi_c^0 D_s^-$  decays [\[LHCb-PAPER-2023-017\]](#).



# Motivation

- Beauty to double open-charm decays probe factorization assumptions in HQET; their application is contestable due to the presence of two heavy quarks in the final state.
- Predictions of decay widths / branching fractions ( $\mathcal{B}$ ) exist for the two-body  $\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-}$ ,  $\Xi_b^0 \rightarrow \Xi_c^+ D_s^-$  and  $\Xi_b^- \rightarrow \Xi_c^0 D_s^-$  decays, but not for  $\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-$ .

Reference	$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-})}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)}$	Reference	$\frac{\mathcal{B}(\Xi_b^0 \rightarrow \Xi_c^+ D_s^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)}$	$\frac{\mathcal{B}(\Xi_b^- \rightarrow \Xi_c^0 D_s^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)}$
T. Mannel and W. Roberts [Z. Phys. C 59, 179]	0.75	H.-Y. Cheng [Phys. Rev. D 56, 2799]		1.06
H.-Y. Cheng [Phys. Rev. D 56, 2799]	0.83	Z.-X. Zhao [Chinese Phys. C 42 093101]	1.00	1.06
A. K. Giri, L. Maharana, and R. Mohanta [Mod. Phys. Lett. A 13, 23]	1.54	C.-K. Chua [Phys. Rev. D 100, 034025]	0.91	0.97
Fayyazuddin and Riazuddin [Phys. Rev. D 58, 014016]	1.46			
R. Mohanta et al. [Prog. Theor. Phys. 101, 959]	1.84			
J. Zhu, Z.-T. Wei, and H.-W. Ke [Phys. Rev. D 99, 054020]	0.85			
Z.-X. Zhao [Chinese Phys. C 42 093101]	1.49			
W.-H. Liang and E. Oset [Eur. Phys. J. C 78, 528]	1.23			
T. Gutsche et al. [Phys. Rev. D 98, 074011]	1.70			
H.-W. Ke, N. Hao, and X.-Q. Li [Eur. Phys. J. C 79, 540]	1.51			
C.-K. Chua [Phys. Rev. D 100, 034025]	1.47			
S. Rahmani, H. Hassanabadi, and J. Kržíž [Eur. Phys. J. C 80, 636]	1.29			
Y.-W. Pan, M.-Z. Liu, and L.-S. Geng [arXiv:2309.12050]	2.25			



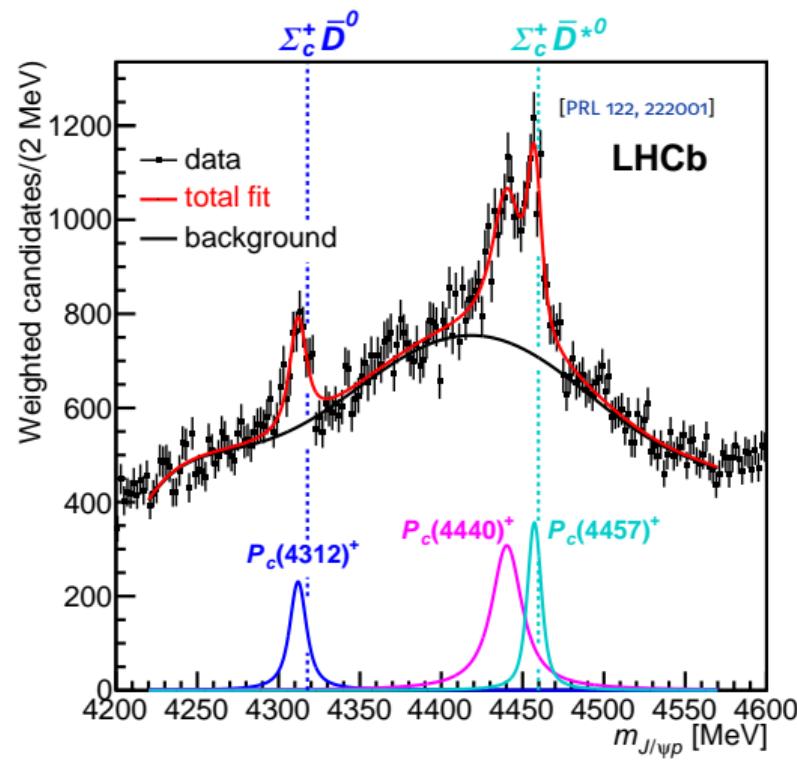
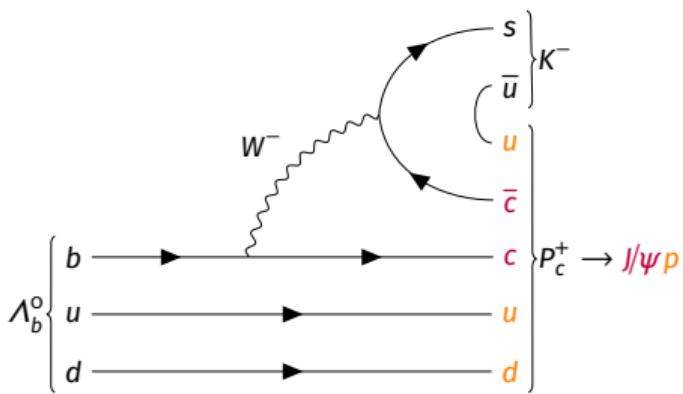
# Motivation for $\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-$

[PRL 115, 072001], [PRL 117, 082002]

[PRL 117, 082003]

- Search for  $P_c^+$ s, seen in  $\Lambda_b^0 \rightarrow J/\psi p K^-$  and  $\Lambda_b^0 \rightarrow J/\psi p \pi^-$ , in  $\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-$

[PRL 122, 222001]



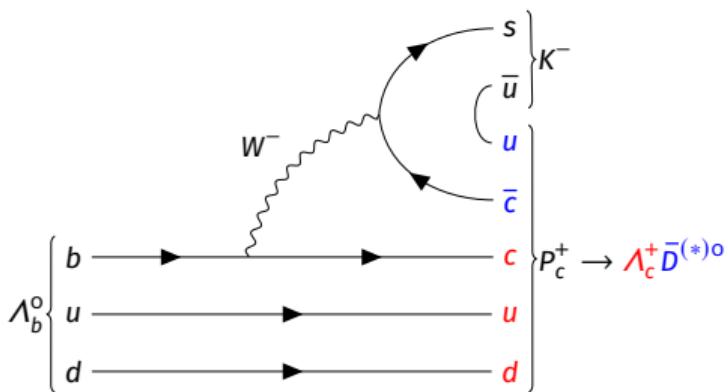
# Motivation for $\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-$

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- Search for  $P_c^+$ s, seen in  $\Lambda_b^0 \rightarrow J/\psi p K^-$  and  $\Lambda_b^0 \rightarrow J/\psi p \pi^-$ , in  $\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-$

[PRL 122, 222001]



- $\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-$  and  $\Lambda_b^0 \rightarrow J/\psi p K^-$  directly comparable, since  $P_c^+$  production the same.

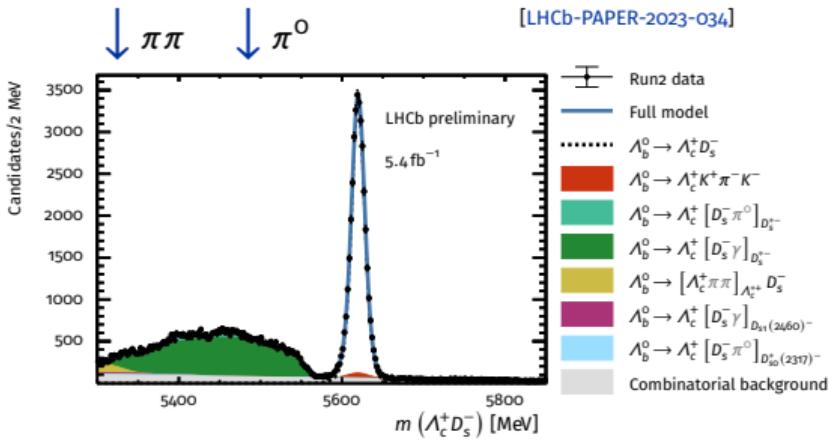
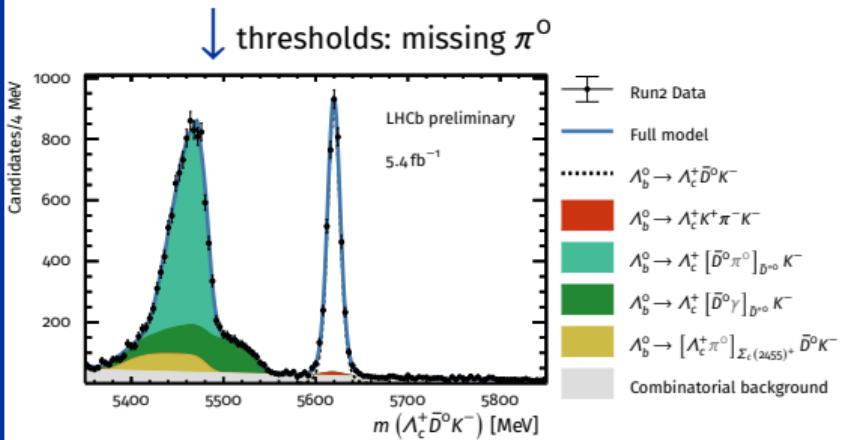
- $\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-)$  gauges predictions:

$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow J/\psi p K^-)} = \frac{f_{J/\psi p}(P_c^+)}{f_{\Lambda_c^+ \bar{D}^{(*)0}}(P_c^+)} \cdot \frac{\mathcal{B}(P_c^+ \rightarrow \Lambda_c^+ \bar{D}^{(*)0})}{\mathcal{B}(P_c^+ \rightarrow J/\psi p)}.$$

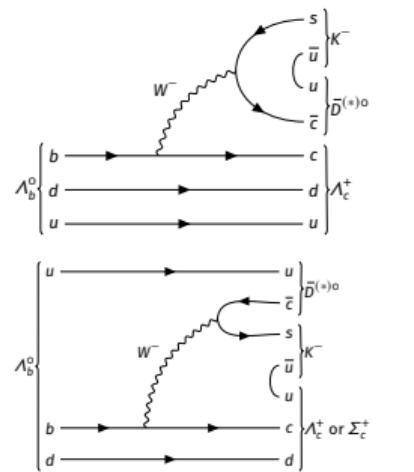
$f_X(P_c^+)$  denotes the measured fit-fraction of  $P_c^+$  in channel  $X$

- Theory/pheno calculates  $\frac{\mathcal{B}(P_c \rightarrow \Lambda_c^+ \bar{D}^{(*)0})}{\mathcal{B}(P_c \rightarrow J/\psi N)}$   
 $\leadsto$  sensitivity estimate of  $f_{\Lambda_c^+ \bar{D}^{(*)0}}(P_c^+)$ .
- ... or wait for future measurement of  $f_{\Lambda_c^+ \bar{D}^{(*)0}}(P_c^+)$  to compare models.

$\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-$  and  $\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-}$



- Measure  $\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-)$  and  $\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-})$  through partial reconstruction  $\pi^0$  or  $\gamma$  from  $\bar{D}^{(*)0}$  or  $D_s^{*-}$  decays not reconstructed.
- Shapes of partially reconstructed decays determined by kinematics **and dynamics** i.e. amplitude composition.
- $\Delta I = 1$  of spectator diquark forbids  $\Lambda_b^0 \rightarrow \Sigma_c^+ D_s^-$  [Phys. Lett. B450, 250].
- $\Lambda_b^0 \rightarrow \Sigma_c^+ \bar{D}^0 K^-$  color-suppressed. Enhanced by  $\Xi_c^{*0} \bar{D}^0$ ,  $P_c^+$ ?



- Reconstruct both  $\Lambda_c^+ \bar{D}^0 K^-$  and  $\Lambda_c^+ D_s^-$  candidates in  $pK^-\pi^+K^+\pi^-K^-$  final state  
 $\Lambda_c^+ \rightarrow pK^-\pi^+, \bar{D}^0 \rightarrow K^+\pi^-, D_s^- \rightarrow K^-K^+\pi^-.$
- Measure 
$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} = \frac{N_{\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-}}{N_{\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-}} \frac{\epsilon_{\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-}}{\epsilon_{\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-}} \frac{\mathcal{B}(D_s^- \rightarrow K^-K^+\pi^-)}{\mathcal{B}(\bar{D}^0 \rightarrow K^+\pi^-)}$$
- Datasets: Full  $5.4 \text{ fb}^{-1}$  Run 2 data.  
Dedicated simulation (MC) samples.
- In principle an easy analysis:  
**Cut, Count, Correct.**
- Same reconstruction and trigger selection of  $\Lambda_c^+ \bar{D}^0 K^-$  and  $\Lambda_c^+ D_s^-$  candidates;  
Different topological and particle identification (PID) requirements offline.
- Dedicated BDT for  $\Lambda_c^+ \rightarrow pK^-\pi^+$  decays [[PRD 112, 202001](#)]; otherwise cutbased.
- Systematics from **fit**, **multiple candidates**, **MC weighting**, **MC and calibration statistics**.
- Validate result with 4 selection strategies, 3 bkg subtraction- and 3 weighting methods.

Challenges of  $\Lambda_c^+ \bar{D}^0 K^-$  and  $\Lambda_c^+ D_s^-$  vs.  $J/\psi pK^-$

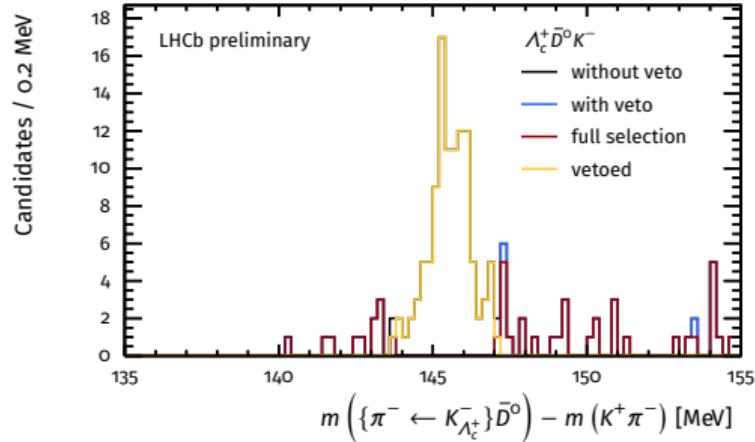
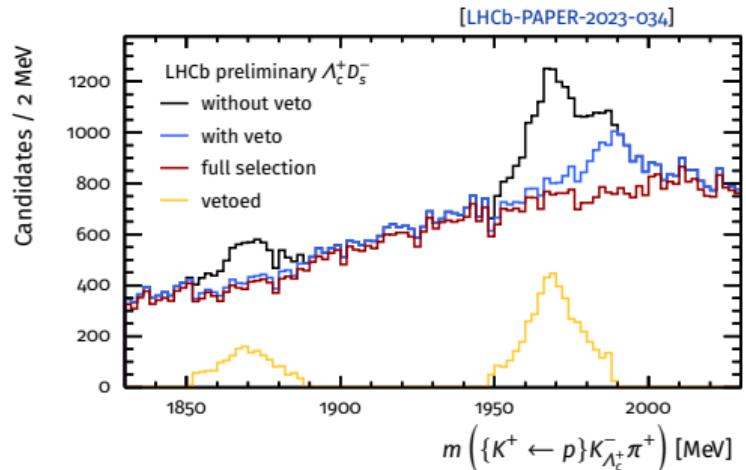
Final state: 6 hadrons vs. 2 hadrons and 2 muons.  
Hadronic hardware- and L1 triggers much less efficient than Dimuon triggers.  
Many more combinatorial backgrounds.

# Selection highlight

- Extensive veto selections underline complexity of  $\Lambda_c^+ \bar{D}^0 K^-$  and  $\Lambda_c^+ D_s^-$  selection.
- Use PID information to efficiently suppress backgrounds validated by different selection strategies.

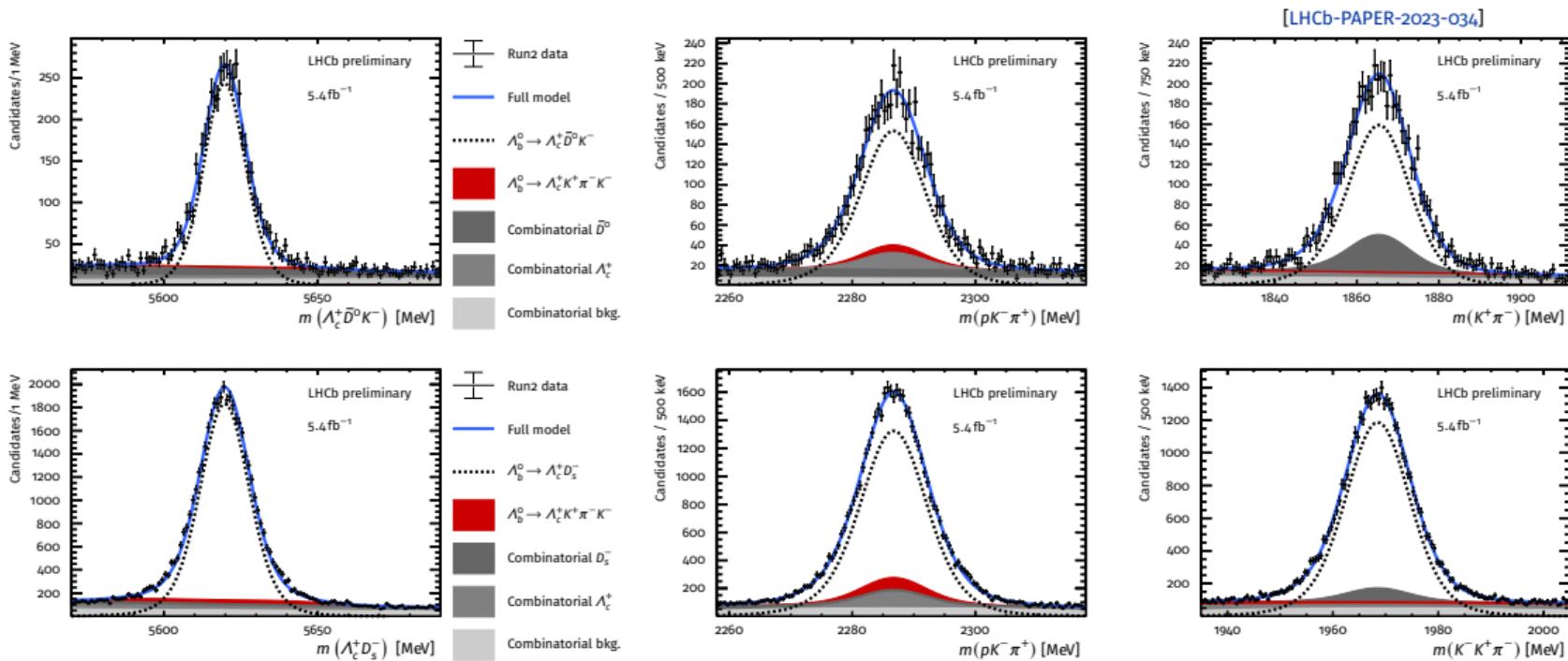
Explicitly rejected physics backgrounds. Some backgrounds are present only in the  $\Lambda_c^+ \bar{D}^0 K^-$  or  $\Lambda_c^+ D_s^-$  systems, others in both. A particle,  $M_{\text{misID}}$ , that decays through a real particle,  $a$ , which is reconstructed as a particle with different mass hypothesis,  $b$ , is denoted as  $M_{\text{misID}} \rightarrow \{a \leftarrow b\}X$ , where  $X$  corresponds to the rest of the decay. As there are two  $K^-$  in the final state, the subscripts “ $\Lambda_c^+$ ”, and “com” (for companion) or “ $D_s^-$ ” denote the assignment in the nominal  $\Lambda_c^+ \bar{D}^0 K^-$  or  $\Lambda_c^+ D_s^-$  reconstruction chain.

$\Lambda_c^+ \bar{D}^0 K^-$	$\Lambda_c^+ D_s^-$	Both
$\phi \rightarrow \{K^+ \leftarrow p\} K_{\text{com}}^-$	$D^- \rightarrow \{\pi^- \leftarrow K_{D_s^-}^-\} K^+ \pi^-$	$\phi \rightarrow \{K^+ \leftarrow p\} K_{\Lambda_c^+}^-$
$D^{*+} \rightarrow [\{\pi^+ \leftarrow p\} K_{\text{com}}^-]_{D^0} \pi^+$	$\bar{\Lambda}_c^- \rightarrow \{\bar{p} \leftarrow K_{D_s^-}^-\} K^+ \pi^-$	$D_{(s)}^+ \rightarrow \{K^+ \leftarrow p\} K_{\Lambda_c^+}^- \pi^+$
$D^{*+} \rightarrow [\{K^+ \leftarrow p\} K_{\text{com}}^-]_{D^0} \pi^+$	$\Lambda_c^+ \rightarrow \{\pi^+ \leftarrow p\} K_{\Lambda_c^+}^- \{p \leftarrow \pi^+\}$	$D^+ \rightarrow \{\pi^+ \leftarrow p\} K_{\Lambda_c^+}^- \pi^+$
$D^{*-} \rightarrow \{\pi^- \leftarrow K_{\text{com}}^-\} \bar{D}^0$		$D^{*+} \rightarrow \left[ \{\pi^+ \leftarrow p\} K_{\Lambda_c^+}^- \right]_{D^0} \pi^+$
$D^{*-} \rightarrow \{\pi^- \leftarrow K_{\Lambda_c^+}^-\} \bar{D}^0$		$D^{*+} \rightarrow \left[ \{K^+ \leftarrow p\} K_{\Lambda_c^+}^- \right]_{D^0} \pi^+$



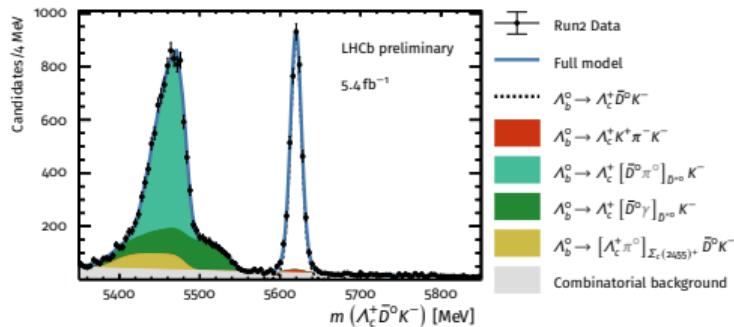
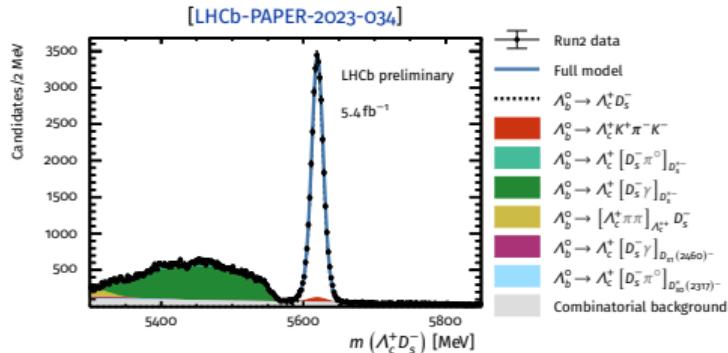
## 3D mass fits

- 3D fits determine charm mass requirements and normalization of  $\Lambda_b^0 \rightarrow \Lambda_c^+ K^+ \pi^- K^-$ .
- Linear dependency of  $\Lambda_b^0 \rightarrow \Lambda_c^+ K^+ \pi^- K^-$  PDF in  $m(\Lambda_c^+ \bar{D}^0 K^-)$  or  $m(\Lambda_c^+ D_s^-)$  to  $m(K^+ \pi^-)$  or  $m(K^- K^+ \pi^-)$  because of mass constraint.



## Baseline mass fits

- Analytical models for  $\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-}$ ,  $\Lambda_b^0 \rightarrow \Lambda_c^+ D_{s0}^*(2317)^-$  and  $\Lambda_b^0 \rightarrow \Lambda_c^+ D_{s1}(2460)^-$ .
- Normalizations of  $\Lambda_b^0 \rightarrow \Lambda_c^+ D_{s0}^*(2317)^-$  and  $\Lambda_b^0 \rightarrow \Lambda_c^+ D_{s1}(2460)^-$  constrained from corresponding  $B$  meson decays and predicted baryon-meson ratios [Phys. Rev. D 69, 094002].
- $\Lambda_b^0 \rightarrow \Sigma_c^+ \bar{D}^0 K^-$ ,  $\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^- \pi\pi$  and  $\Lambda_b^0 \rightarrow \Lambda_c^+ K^+ \pi^- K^-$  use kernel density (KDE) PDFs [Comput. Phys. Commun. 136, 198] from fast simulation (RapidSim [Comput. Phys. Commun. 214, 239]/AmpGen).
- Sum of  $\Lambda_b^0 \rightarrow \Lambda_c^+ [\bar{D}^0 \pi^0]_{\bar{D}^{*0}} K^-$  and  $\Lambda_b^0 \rightarrow \Lambda_c^+ [\bar{D}^0 \gamma]_{\bar{D}^{*0}} K^-$  KDE PDFs from full simulation multiplied by polynomial for imperfectly modeled decay dynamics/efficiency.



$$N^{\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-}} = 46400 \pm 500 \text{ (stat.)}, \quad N^{\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-} = 35450^{+200}_{-210} \text{ (stat.)},$$

$$N^{\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{*0} K^-} = 10560^{+310}_{-290} \text{ (stat.)}, \quad N^{\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^0 K^-} = 4010 \pm 70 \text{ (stat.)}.$$

- Efficiency ratios are evaluated using simulation, corrected in production- and decay kinematics and track multiplicity.
- Data-driven calibration of the BDT response for  $\Lambda_c^+ \rightarrow p K^- \pi^+$  decays [PRL 112, 202001].
- Validated by using different methods for the correction of simulated data, and by choosing selection requirements that probe certain aspects of the efficiency calculation.

$$\epsilon_{\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^0 K^-} / \epsilon_{\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-} = 0.809 \pm 0.006 \text{ (MC stat.)},$$

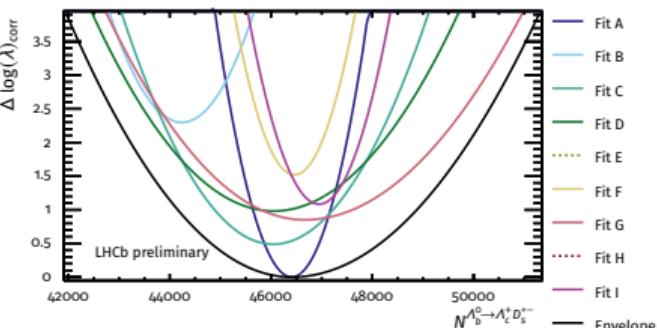
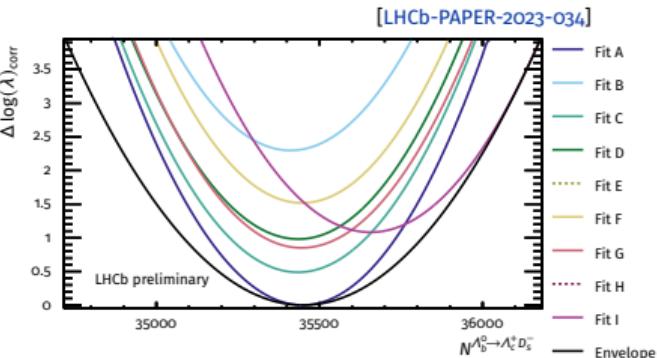
$$\epsilon_{\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-} / \epsilon_{\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-} = 0.689 \pm 0.005 \text{ (MC stat.)},$$

$$\epsilon_{\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-}} / \epsilon_{\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-} = 0.785 \pm 0.005 \text{ (MC stat.)}.$$

# Systematic uncertainties

- Fit model: use discrete profiling [JINST 10 Po4015].
  - Likelihoods corrected for number of parameters and pulls of fit-constraints.
  - Baseline fit has best corrected likelihood.
  - Vary 9 model choices for discrete profiling.
  - Approximate likelihoods with bifurcated parabolas  
~ calculate envelope analytically.

Source / relative to	$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^0 K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)}$	$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{*0} K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)}$	$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-})}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)}$
	[%]	[%]	[%]
Fit model	+0.5 -0.6	+2.8 -3.0	+3.6 -3.3
Weighting	0.1	0.1	0.0
Multiple candidates	0.0	0.0	0.1
Size of simulated samples	0.4	0.3	0.2
Size of generated samples	0.6	0.6	0.6
Total	0.9	+2.9 -3.1	+3.7 -3.3
Statistical	1.8	2.8	1.3



$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^0 K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} = 0.1908^{+0.0036}_{-0.0034} \text{ (stat.)}^{+0.0016}_{-0.0018} \text{ (sys.)} \pm 0.0038(\mathcal{B}),$$

$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{*0} K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} = 0.589^{+0.018}_{-0.017} \text{ (stat.)}^{+0.017}_{-0.018} \text{ (sys.)} \pm 0.012(\mathcal{B}),$$

$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-})}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} = 1.668 \pm 0.022 \text{ (stat.)}^{+0.061}_{-0.055} \text{ (sys.)}.$$

$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{*0} K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^0 K^-)} = 3.09^{+0.11}_{-0.10} \text{ (stat.)}^{+0.09}_{-0.10} \text{ (sys.)}.$$

compatible with several predictions shown earlier.

$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^0 K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} \cdot \frac{\mathcal{B}(\bar{D}^0 \rightarrow K^+ \pi^-)}{\mathcal{B}(D_s^- \rightarrow K^- K^+ \pi^-)} = 0.1400^{+0.0026}_{-0.0025} \text{ (stat.)}^{+0.0012}_{-0.0013} \text{ (sys.)},$$

$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{*0} K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} \cdot \frac{\mathcal{B}(\bar{D}^0 \rightarrow K^+ \pi^-)}{\mathcal{B}(D_s^- \rightarrow K^- K^+ \pi^-)} = 0.432^{+0.013}_{-0.012} \text{ (stat.)} \pm 0.013 \text{ (sys.)}.$$

- Reminder:  $\frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow J/\psi p K^-)} = \frac{f_{J/\psi p}(P_c^+)}{f_{\Lambda_c^+ \bar{D}^{(*)0}}(P_c^+)} \cdot \frac{\mathcal{B}(P_c^+ \rightarrow \Lambda_c^+ \bar{D}^{(*)0})}{\mathcal{B}(P_c^+ \rightarrow J/\psi p)}$

$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow J/\psi p K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^0 K^-)} = 0.152^{+0.032}_{-0.028},$$

$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow J/\psi p K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{*0} K^-)} = 0.049^{+0.011}_{-0.009},$$

Yields  $\Lambda_b^0 \rightarrow J/\psi p K^- \Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-$

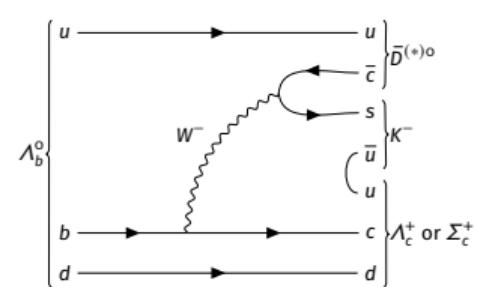
$$N^{\Lambda_b^0 \rightarrow J/\psi p K^-} \approx 250\,000 \text{ [PRL 122, 222001]}$$

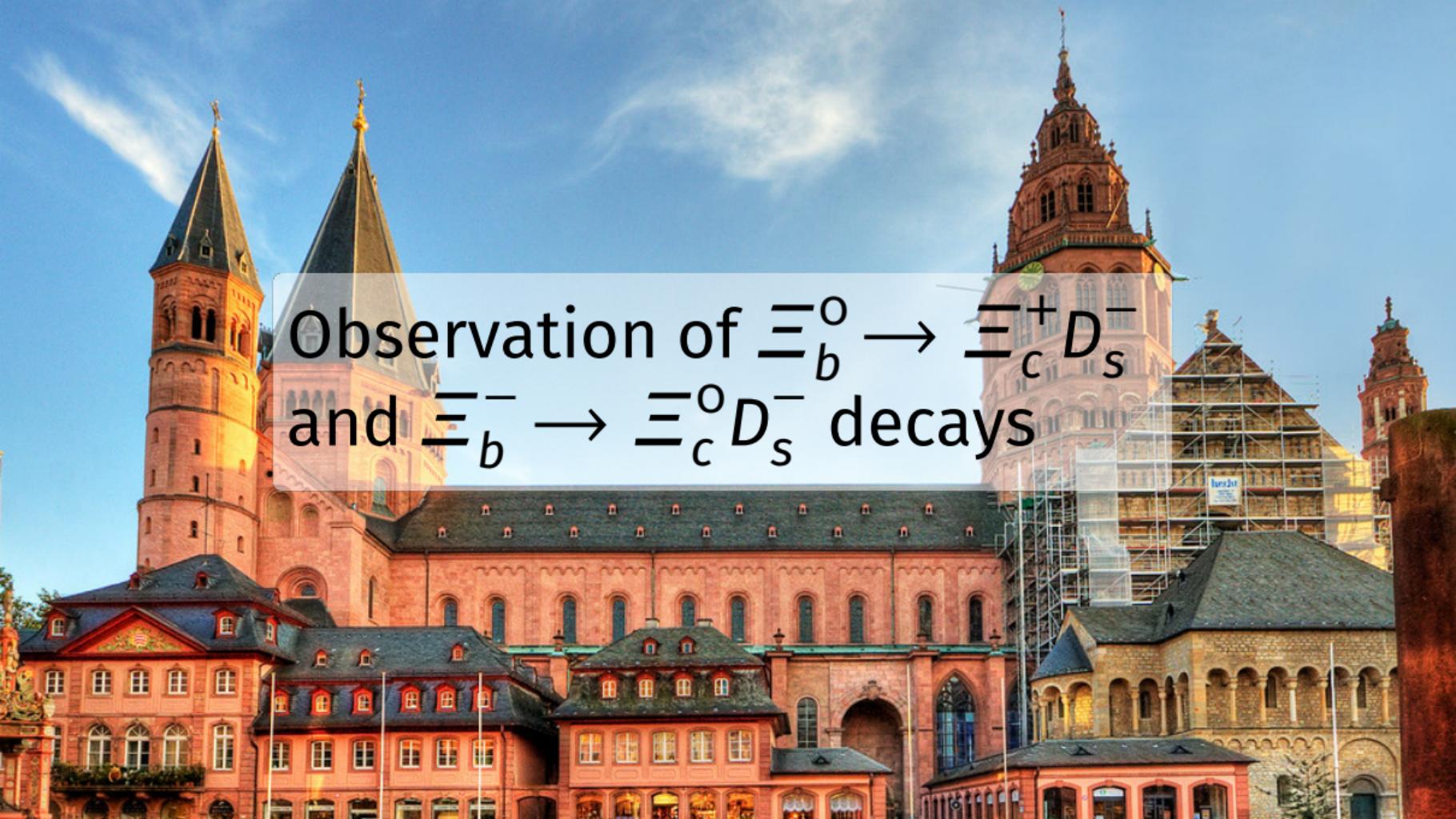
$$N^{\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^0 K^-} \approx 4000, \quad N^{\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{*0} K^-} \approx 10\,000$$

- Comparing  $\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-)$  to mesonic counterpart allows to estimate size/strength of color-suppressed amplitudes; which are absent for meson decays [Phys. Rev. D 106, 054029].

- Define  $\mathcal{DR}^{(*)}(M_b) \equiv \left[ \frac{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} \right] / \left[ \frac{\mathcal{B}(M_b \rightarrow M_c \bar{D}^{(*)0} K^-)}{\mathcal{B}(M_b \rightarrow M_c D_s^-)} \right]$ .

$\mathcal{DR}(\bar{B}^0) = 1.29 \pm 0.20,$	$\mathcal{DR}^*(\bar{B}^0) = 1.28 \pm 0.19,$
$\mathcal{DR}(B^-) = 1.20 \pm 0.30,$	$\mathcal{DR}^*(B^-) = 0.87 \pm 0.12,$
$\mathcal{DR}(B_c^-) = 1.3 \pm 0.5,$	$\mathcal{DR}^*(B_c^-) = 0.8 \pm 0.4.$





Observation of  $\Xi_b^0 \rightarrow \Xi_c^+ D_s^-$   
and  $\Xi_b^- \rightarrow \Xi_c^0 D_s^-$  decays

- Reconstruct  $\Xi_c^+ D_s^-$  and  $\Lambda_c^+ D_s^-$  candidates in  $pK^-\pi^+K^+\pi^-K^-$  final state.  $\Xi_c^0$  adds third  $K^-$ .

$$\bullet \text{ Measure } \mathcal{R} \left( \frac{\Xi_b^0}{\Lambda_b^0} \right) \equiv \frac{\sigma(\Xi_b^0)}{\sigma(\Lambda_b^0)} \times \frac{\mathcal{B}(\Xi_b^0 \rightarrow \Xi_c^+ D_s^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} = \frac{N(\Xi_b^0 \rightarrow \Xi_c^+ D_s^-)}{N(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} \frac{\varepsilon(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)}{\varepsilon(\Xi_b^0 \rightarrow \Xi_c^+ D_s^-)} \frac{\mathcal{B}(\Lambda_c^+ \rightarrow pK^-\pi^+)}{\mathcal{B}(\Xi_c^+ \rightarrow pK^-\pi^+)}$$

$$\mathcal{R} \left( \frac{\Xi_b^-}{\Lambda_b^0} \right) \equiv \frac{\sigma(\Xi_b^-)}{\sigma(\Lambda_b^0)} \times \frac{\mathcal{B}(\Xi_b^- \rightarrow \Xi_c^0 D_s^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} = \frac{N(\Xi_b^- \rightarrow \Xi_c^0 D_s^-)}{N(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} \frac{\varepsilon(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)}{\varepsilon(\Xi_b^- \rightarrow \Xi_c^0 D_s^-)} \frac{\mathcal{B}(\Lambda_c^+ \rightarrow pK^-\pi^+)}{\mathcal{B}(\Xi_c^0 \rightarrow pK^-K^-\pi^+)}$$

$$\mathcal{R} \left( \frac{\Xi_b^0}{\Xi_b^-} \right) \equiv \frac{\sigma(\Xi_b^0)}{\sigma(\Xi_b^-)} \times \frac{\mathcal{B}(\Xi_b^0 \rightarrow \Xi_c^+ D_s^-)}{\mathcal{B}(\Xi_b^- \rightarrow \Xi_c^0 D_s^-)} = \frac{N(\Xi_b^0 \rightarrow \Xi_c^+ D_s^-)}{N(\Xi_b^- \rightarrow \Xi_c^0 D_s^-)} \frac{\varepsilon(\Xi_b^- \rightarrow \Xi_c^0 D_s^-)}{\varepsilon(\Xi_b^0 \rightarrow \Xi_c^+ D_s^-)} \frac{\mathcal{B}(\Xi_c^0 \rightarrow pK^-K^-\pi^+)}{\mathcal{B}(\Xi_c^+ \rightarrow pK^-\pi^+)}$$

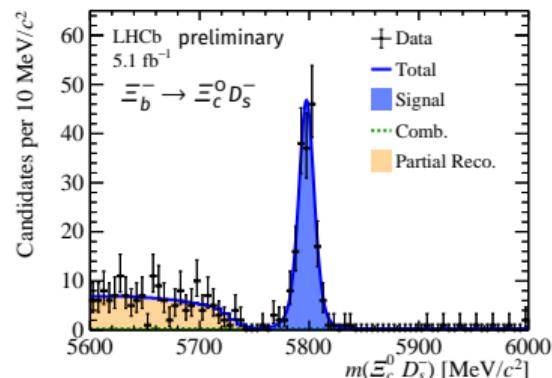
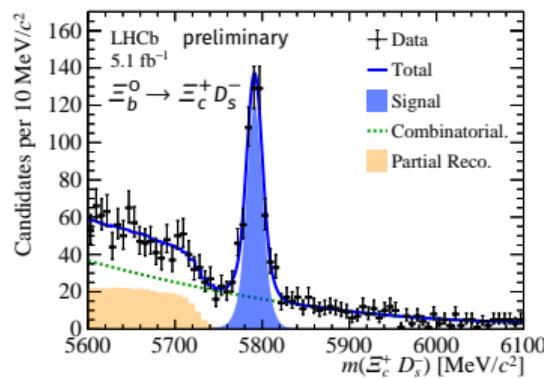
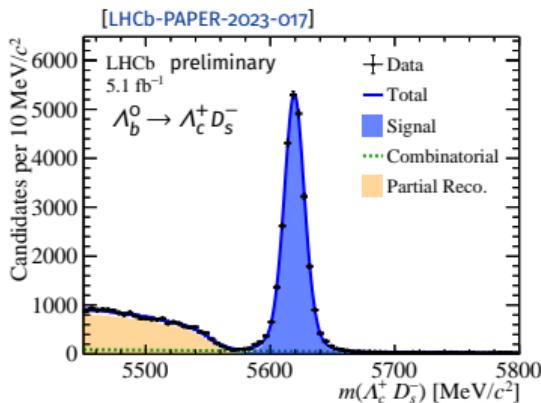
- Direct measure of fragmentation fraction ratios ( $\frac{\sigma(\Xi_b)}{\sigma(\Lambda_b^0)}$ ) assuming  $\frac{\mathcal{B}(\Xi_b \rightarrow \Xi_c D_s^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} = 1$ .
- Analysis additionally measures  $\Lambda_b^0$  and  $\Xi_b$  masses. Not covered here.

- Reconstruction and trigger efficiencies do not cancel to first order as before, due to differences in lifetime, kinematics ( $\Xi_c/\Lambda_c^+/\Xi_b/\Lambda_b^0$ ) and/or additional track ( $\Xi_c^0$ ).
- Veto  $\phi, D_s^+, D^+, D^0$  from proton misidentification,  $\Lambda_c^+$  from a misidentified  $K^+$ .
- Train dedicated gradient BDT classifier maximizing  $S/\sqrt{S+B}$  with expected signal/background yields  $S/B$ .
- Efficiencies are taken from simulation, corrected for PID responses, track reconstruction efficiency, production- and decay-kinematics and track multiplicity.

$$\frac{\varepsilon(\Xi_b^0 \rightarrow \Xi_c^+ D_s^-)}{\varepsilon(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} = 1.101 \pm 0.010 \text{ (MC stat.)},$$
$$\frac{\varepsilon(\Xi_b^- \rightarrow \Xi_c^0 D_s^-)}{\varepsilon(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^-)} = 0.515 \pm 0.005 \text{ (MC stat.)},$$
$$\frac{\varepsilon(\Xi_b^0 \rightarrow \Xi_c^+ D_s^-)}{\varepsilon(\Xi_b^- \rightarrow \Xi_c^0 D_s^-)} = 2.138 \pm 0.017 \text{ (MC stat.)}.$$

- Partially reconstructed signal consistent with  $\Lambda_b^0/\Xi_b \rightarrow \Lambda_c^+/\Xi_c D_s^{*-}$  with  $D_s^{*-} \rightarrow D_s^- \gamma$ .
- Simulated samples with  $D_s^{*-}$  helicities  $\pm 1$  and 0 model partially reconstructed decays.
- Fractions of  $\Lambda_b^0/\Xi_b \rightarrow \Lambda_c^+/\Xi_c K^-K^+\pi^-$  decays  $f_{\text{single } c}$  estimated from sidebands.

## Mass fits



$$N(\Lambda_b^0 \rightarrow \Lambda_c^+ D_s^{*-}) = 26\,090 \pm 170 \text{ (stat.)}, \quad f_{\text{single } c}(\Lambda_b^0) = (5.70 \pm 0.13 \text{ (stat.)})\%,$$

$$N(\Xi_b^0 \rightarrow \Xi_c^+ D_s^-) = 462 \pm 29 \text{ (stat.)}, \quad f_{\text{single } c}(\Lambda_b^0) = (8.39 \pm 1.75 \text{ (stat.)})\%,$$

$$N(\Xi_b^- \rightarrow \Xi_c^0 D_s^-) = 175 \pm 14 \text{ (stat.)}, \quad f_{\text{single } c}(\Lambda_b^0) = (6.44 \pm 10.48 \text{ (stat.)})\%.$$

- Fit model: vary signal and background model, remove partially reconstructed signal by adjusting fitted mass range. Take maximum deviation as uncertainty.
- Single charm background fraction  $f_{\text{single } c}$  from different sideband region.
- Corrections to simulations dominated by weighting to match data in track multiplicity, production- and decay-kinematics; uncertainties evaluated with pseudoexperiments.

Source / relative to	$\mathcal{R} \left( \frac{\Xi_b^0}{\Lambda_b^0} \right) [\%]$	$\mathcal{R} \left( \frac{\Xi_b^-}{\Lambda_b^0} \right) [\%]$	$\mathcal{R} \left( \frac{\Xi_b^0}{\Xi_b^-} \right) [\%]$
Fit model	2.7	1.3	3.4
$f_{\text{single } c}$	2.0	1.6	2.5
Limited simulation sample size	0.9	1.0	0.8
Trigger efficiency	1.5	1.5	1.5
Reconstruction efficiency	0.1	1.6	1.7
Corrections to simulations	1.3	4.3	4.3
Total	3.8	5.4	6.5

$$\mathcal{R} \left( \frac{\Xi_b^0}{\Lambda_b^0} \right) = (15.8 \pm 1.1 \text{ (stat.)} \pm 0.6 \text{ (sys.)} \pm 7.7 \text{ (\mathcal{B})})\%$$

$$\mathcal{R} \left( \frac{\Xi_b^-}{\Lambda_b^0} \right) = (16.9 \pm 1.3 \text{ (stat.)} \pm 0.9 \text{ (sys.)} \pm 4.3 \text{ (\mathcal{B})})\%$$

$$\mathcal{R} \left( \frac{\Xi_b^0}{\Xi_b^-} \right) = (94 \pm 10 \text{ (stat.)} \pm 6 \text{ (sys.)} \pm 51 \text{ (\mathcal{B})})\%$$

- $\mathcal{R}(\Xi_b^0/\Xi_b^-)$  consistent with  $SU(3)$  flavour symmetry.
- Closing in on ratio of  $\Lambda_b^0$  and  $\Xi_b$  fragmentation fractions.
- Related LHCb measurements

$$\frac{f_{\Xi_b^0}}{f_{\Lambda_b^0}} \cdot \frac{\mathcal{B}(\Xi_b^0 \rightarrow \Xi_c^+ \pi^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \pi^-)} \cdot \frac{\mathcal{B}(\Xi_c^+ \rightarrow p K^- \pi^+)}{\mathcal{B}(\Lambda_c^+ \rightarrow p K^- \pi^+)} = (1.88 \pm 0.04 \pm 0.03)\% \quad (\sqrt{s} = 7, 8 \text{ TeV}) \quad [\text{Phys. Rev. Lett. 113, 032001}]$$

$$\frac{f_{\Xi_b^-}}{f_{\Lambda_b^0}} \cdot \frac{\mathcal{B}(\Xi_b^- \rightarrow J/\psi \Xi^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow J/\psi \Lambda)} = (10.8 \pm 0.9 \pm 0.8)\% \quad (7, 8 \text{ TeV}), \quad (13.1 \pm 1.1 \pm 1.0)\% \quad (13 \text{ TeV}) \quad [\text{Phys. Rev. D 99, 052006}]$$

- LHCb is capable of reconstructing fully hadronic beauty to double open-charm decays with 6 and 7 particles in the final state, reaching down to percent-level precision!
- The presented branching fractions probe factorization assumptions in effective theories.
- $\mathcal{B}(\Lambda_b^0 \rightarrow \Lambda_c^+ \bar{D}^{(*)0} K^-)$  needed for upcoming pentaquark searches in these channels.
- $\Xi_b^0 \rightarrow \Xi_c^+ D_s^-$  and  $\Xi_b^- \rightarrow \Xi_c^0 D_s^-$  decays are valuable input to  $\Xi_b/\Lambda_b^0$  fragmentation fractions.
- Great improvement of reconstruction and trigger efficiencies for fully hadronic decays in Run 3, due to triggerless readout of detector.

