



**STINT** The Swedish Foundation for International Cooperation in Research and Higher Education

Swedish Research Council

ish *Knut* .rch Wal cil Four



### Stranger Things – Investigating Hyperon Structure at the Femtometer Scale

25<sup>th</sup> European Conference on Few-body Problems in Physics Mainz, Germany, 2023-08-04

Prof. Dr. Karin Schönning, Uppsala University



# Outline

- Prologue
- Electromagnetic Form Factors
- Recent results from BESIII
- Summary





#### Strong interactions manifest in *e.g.* hadron structure and size

 $\rightarrow$  quantities at the femtometer scale!

**Protons:** rapid progress the last ~ 5 years!\*

**Neutrons:** asymmetric distribution of *d* quarks and *u* quark results in a negative squared charge radius  $< r_E^2 > .^{**}$ 

\*Talk by U.G. Meissner (Monday) \*\*Atac *et al.*, Nature Com. 12, 1759 (2021)



Picture cred. Y-H Lin, U. Bonn





**FAQ1:** How does the presence of heavy strange and charm quarks affect the strong interaction dynamics?





# To find out, we first need to answer **FAQ2**: *How can we study the structure of unstable hadrons*?

Proton:  $\tau > 10^{34}$  y Neutron:  $\tau \sim 15$  min Strange hyperons:  $\tau \sim 10^{-10}$  s Charm hyperons:  $\tau \sim 10^{-13}$  s



# To find out, we first need to answer **FAQ2**: *How can we study the structure of unstable hadrons*?

**Proton:**  $\tau > 10^{34}$  y **Neutron:** *τ* ~ 15 min **Strange hyperons:**  $\tau \sim 10^{-10}$  s **Charm hyperons:**  $\tau \sim 10^{-13}$  s Answer: By time-like electromagnetic form factors!



#### Space-like vs. time-like EMFF's



Cred. E. Perotti, PhD thesis  $(UU _{2020})$ 



#### Space-like form factors

- Number of EMFFs =  $2J+1 \rightarrow \text{spin } \frac{1}{2}$  baryons have 2.
- Sachs FFs: the electric  $G_E$  and magnetic  $G_M$

- Charge radius:  

$$< r_E^2 > = 6 \frac{dG_E(q^2)}{dq^2} |_{q^2=0}$$

- Magnetic radius:  

$$\langle r_M^2 \rangle = \frac{6}{G_M(0)} \frac{dG_M(q^2)}{dq^2} |_{q^2=0}$$





#### Space-like vs. time-like FF's



#### Space-like

#### Time-like





#### Time-like form factors

- Related to space-like EMFFs *via* dispersion relations.
- Are complex:
  - $\ G_{E}(q^{2}) = |G_{E}(q^{2})| \cdot e^{i\Phi_{E}} \quad , \quad G_{M}(q^{2}) = |G_{M}(q^{2})| \cdot e^{i\Phi_{M}}$
  - Ratio  $R = \frac{|G_E(q^2)|}{|G_M(q^2)|}$  accessible from baryon scattering angle.
  - $\Delta \Phi(q^2) = \Phi_M(q^2) \Phi_E(q^2) =$  phase between  $G_E$  and  $G_M$
  - Phase a reflection of intermediate fluctuations of the  $\gamma^*$  into *e.g.*  $\pi\pi$ .
  - → Polarizes final state!



Picture credit: Elisabetta Perotti, PhD Thesis, UU (2020)



#### Advantage of hyperons

Polarization experimentally accessible by the weak, parity violating decay:

Example:

$$I(\cos\theta_{\rm p}) = N(1 + \alpha_{\Lambda} P_{\Lambda} \cos\theta_{\rm p})$$





#### Space-like vs. Time-like EMFFs

- **Onset of asymptotic scale**  $q_{asy}^2$  where SL = TL
  - Nucleons: SL and TL accessible.
  - Hyperons: Only TL accessible, but also phase!  $\Delta \Phi(q^2) \rightarrow o \leftrightarrow SL = TL$
- **Zero crossings**\*: Existence and location in the SL region from the TL behaviour!

\*Mangoni et al., Phys. Rev. D 104, 116016 (2021)



#### The BESIII experiment

- Study  $e^+e^- \rightarrow B\overline{B}$ , where  $B = p, n, \Lambda, \Sigma, \Xi, \Lambda_c^+$
- Beijing Electron Positron Collider (BEPC II):
   e<sup>+</sup>e<sup>-</sup> collider within CMS range 2.0 4.95 GeV.
- Beijing Spectrometer (BES III):
  - Near  $4\pi$  coverage
  - Tracking, PID, Calorimetry
  - Broad physics scope





#### $B\overline{B}$ production in BESIII

**Energy Scan** 



 $e^+e^- \rightarrow B\overline{B}$ 

- Simple final state
- "Simple" formalism → Straight-forward to analyze
- Requires dedicated data campaigns

#### Initial State Radiation (ISR)



 $e^+e^- \to e^+e^-\gamma_{ISR} \to \gamma_{ISR} B\bar{B}$ 

- ISR photon tagged or untagged
- Effective cross section much smaller than in direct  $e^+e^- \rightarrow B\overline{B}$
- Possible to benefit from large data samples collected at *e.g.*  $J/\Psi$  14



#### Production cross sections

- Energy dependence give information about the quark dynamics through
  - The effective form factor:  $G_{eff} \propto \sqrt{\sigma}$
  - Di-quark correlations
  - Coupling to vector mesons and/or  $B\overline{B}$  bound states
- Convenient for studies of
  - protons and (semi-) stable neutrons
  - small hyperon data samples





#### Proton and neutron EMFFs

Energy dependence of  $G_{eff}$ :

- $G_{eff} = G_0 + G_{osc}$  $G_0$  : Dipole-like
- *G*osc: Oscillations

BESIII:  $G_{osc}(p)^*$  and  $G_{osc}(n)^{***}$ have same frequency but different phase:  $\Delta D = D_p - D_n = 125^\circ \pm 12^\circ$ 

SND: Smaller frequency for neutron oscillations\*\*\*.

See also talk by U.G. Meissner

Picture credit SND: Eur. Phys. J. C (2022) 82: 761



#### **BESIII proton EMFFs:**

Phys. Rev. D 91, 112004 (2015) Phys. Rev. D 99, 092002 (2019) Phys. Rev. Lett. 124, 042001 (2020) Phys. Lett. B 817, 136328 (2021) **BESIII neutron EMFFs:** BESIII, Nature Phys. 17, p 1200–1204 (2021) BESIII, Phys. Rev. Lett. 130, 151905 (2023) **SND:** Eur. Phys. J. C (2022) 826 761



- Neutron EMFFs
- New BESIII study\*: Production angle distribution enables separation of electric *G<sub>E</sub>* and magnetic *G<sub>M</sub>*
  - $\rightarrow$  First measured neutron time-like  $G_E$  !
  - → Agreement with dispersive calculations, but not FENICE data.







#### Single-strange hyperons

Diquark correlations in baryons?

- The  $\Sigma^{o}$  has isospin 1 whereas  $\Lambda$  has isospin o
  - Strange quark has no isospin  $\rightarrow$  difference is in the *ud* diquark
  - $\rightarrow$  different spin structure
  - $\rightarrow$  different cross sections expected.\*
- In  $\Sigma^+$ , the *uu* should have same spin structure as the *ud* in  $\Lambda$ .
  - Similar cross sections expected.\*



\*Dobbs et al.,: Phys. Lett. B 739, 90 (2014)



- Scan data between 2.386 GeV and 2.98 GeV.
- $\Lambda/\Sigma^+$   $G_{eff}$  similar as expected from diquark correlations.<sup>\*,\*\*,\*\*\*</sup>
- $\Sigma^+/\Sigma^-$  cross section ratio ~ 9<sup>\*\*</sup>







- ISR method applied on 12 *fb*<sup>-1</sup> of data between 3.773 GeV and 4.258 GeV.\*
- The  $e^+e^- \rightarrow \Lambda \overline{\Lambda}$  cross section measured at 16 energies 2.231 3.0 GeV.
- Cross section enhancement at threshold confirmed.
- Fit accounting for the strong running coupling near threshold into give better agreement than a pQCD approach.







## Production of $\Lambda$ at high $q^2$



- ΛΛ production near vector charmonia\*,\*\*
- BR(Ψ → ΛΛ̄) > 10 times larger than assumed in previous studies by CLEO-c\*\*\*.





\* BESIII: Phys. Rev. D 104, L091104 (2021) \*\* BESIII: Phys. Rev. D 105, L011101 (2022) \*\*\* Dobbs *et al*.: Phys. Rev. D 96, 092004 (2017); Phys. Lett. B 739, 90 (2014)



- $e^+e^- \rightarrow \Xi^-\overline{\Xi}^+$  and  $e^+e^- \rightarrow \Xi^0\overline{\Xi}^0$  studied for the first time.
- Possible resonance around 3 GeV.





## **New:** Single-charm $\Lambda_c^+$ baryons

BESIII energy scans published in 2018\* and 2023\*\*

- Very precise cross section measurements
- First direct measurement of  $\Lambda_c^+$  form factors
- Sharp rise in cross section near threshold





Angular distributions enable extraction of ratio  $R = |G_E/G_M|$  of  $\Lambda_c^+$  near threshold\* and away from threshold\*\*.







### **New:** Single-charm $\Lambda_c^+$ baryons

25

#### Energy dependence of $R = |G_E/G_M|^*$ :

- Described by monopole model + damped oscillations
  - $\rightarrow$  Oscillation frequency ~3.5 times larger than for the proton





#### Spin Analysis



Consider  $e^+e^- \rightarrow \overline{Y}Y, Y \rightarrow BM + c.c$ 







#### UPPSALA UNIVERSITET

### Spin Analysis

 $e^+$ 

 $\pi^+$ 

e

\*Fäldt & Kupsc, PLB 772 (2017) 16.

 $(\theta_2, \varphi_2)$ 

**Production** parameters of spin <sup>1</sup>/<sub>2</sub> baryons:

- Angular distribution parameter  $\eta = \frac{\tau R^2}{\tau + R^2}$  where  $\tau = q^2/4M_B^2$
- Phase  $\Delta \Phi$

Decay parameters for 2-body decays:  $\alpha_1$  and  $\alpha_2$ . If CP symmetry,  $\alpha_1 = -\alpha_2 = \alpha$ Unpolarized part Polarized part Spin correlated part  $W(\xi) = F_0(\xi) + \eta F_5(\xi) + \alpha^2 (F_1(\xi) + \sqrt{1 - \eta^2} \cos(\Delta \Phi) F_2(\xi) + \eta F_6(\xi)) + \alpha \sqrt{1 - \eta^2} \sin(\Delta \Phi) (F_3(\xi) + F_4(\xi))$ 

- $\mathscr{T}_1(\xi) = \sin^2\theta \sin\theta_1 \sin\theta_2 \cos\phi_1 \cos\phi_2 + \cos^2\theta \cos\theta_1 \cos\theta_2$
- $\mathscr{T}_{2}(\xi) = \sin\theta\cos\theta(\sin\theta_{1}\cos\theta_{2}\cos\phi_{1} + \cos\theta_{1}\sin\theta_{2}\cos\phi_{2})$
- $\mathscr{T}_3(\xi) = \sin\theta\cos\theta\sin\theta_1\sin\phi_1$
- $\mathscr{T}_4(\xi) = \sin\theta\cos\theta\sin\theta_2\sin\phi_2$
- $\mathscr{T}_5(\xi) = \cos^2 \theta$

 $\mathscr{T}_6(\xi) = \cos\theta_1 \cos\theta_2 - \sin^2\theta \sin\theta_1 \sin\theta_2 \sin\phi_1 \sin\phi_2$ 



#### First complete measurement of $\Lambda$ EMFF

- BESIII data at 2.396 GeV with 555 exclusive  $\overline{\Lambda}\Lambda$  events in sample.
  - $R = |G_E/G_M| = 0.96 \pm 0.14 \pm 0.02$
  - $-\Delta\Phi = 37^o \pm 12^o \pm 6^o$
  - $-\sigma = 118.7 \pm 5.3 \pm 5.1 \text{ pb}$

BESIII: Phys. Rev. Lett. 123, 122003 (2019)

28

- Most **precise** result on *R* and  $\sigma$
- **First** conclusive result on  $\Delta \Phi$







UPPSALA UNIVERSITET

2

0 <u></u> 2.2

2.3

 $|G_{\rm E}/G_{\rm M}|$ 

#### **Theory Interpretation**

Theoretical study of the  $e^+e^- \rightarrow Y\overline{Y}$  by Haidenbauer, Meissner and Dai<sup>\*</sup>

- $Y\overline{Y}$  potentials constructed from  $\overline{p}p \rightarrow \overline{Y}Y$ data from PS185.
- Spin-dependent observables much more sensitive to the  $Y\overline{Y}$  potential.
- Fairly good agreement with BESIII data.

2.4

 $\sqrt{s}$  (GeV)

BaBar

BESIII

2.5

2.6





#### Theory interpretation

Dispersive calculations by Mangoni, Pacetti & Tomasi-Gustafsson\*:

- Study of the phase  $\Delta \Phi$  must be integer multiple of  $\pi$  at threshold  $(N_{th})$  and at the asymptotic scale  $q_{asy}(N_{asy})_{.}$
- Fit of different data from \*\* and \*\*\* to different scenarios of  $N_{th}$  and  $N_{asy}$

 $\rightarrow$  calculations of charge radius!



\*Mangoni *et al.,* Phys. Rev. D 104, 116016 (2021) \*\*BESIII: Phys. Rev. Lett. 123, 122003 (2019) \*\*\*BaBar: Phys. Rev. D 76, 092006 (2007)



### Λ Spin Analyses

\*Phys. Rev. Lett. 123, 122003 (2019)

\*\*Nature Phys. 15, p. 631-634 (2019)

Similar analyses performed at J/ $\Psi^{**}$ ,  $\Psi(3686)^{***}$  and  $\Psi(3773)^{****}$ 

• R and  $\Delta \Phi$  interpreted as *psionic* structure functions



Picture credit Michael Papenbrock



### **New:** $\Sigma^+$ Spin Analysis

- Energy dependence of R and  $\Delta \Phi$  in three different points\*
  - Double-tag  $e^+e^- \rightarrow \Sigma^+ \overline{\Sigma}^- \rightarrow p \pi^0 \overline{p} \pi^0$  at 2.64 GeV and 2.9 GeV
  - Single-tag  $e^+e^- \rightarrow \Sigma^+ \overline{\Sigma}^- \rightarrow p\pi^0 X + c.c.$  at 2.396 GeV
    - $\rightarrow \Delta \Phi$  / 180°  $\Delta \Phi$  ambiguity
- Better precision than in previous work\*\*.
- Worse agreement with  $Y\overline{Y}$  potential model \*\*\* compared to  $\Lambda$ .







#### Summary

- Time-like form factors a viable tool to study structure and femtometer sizes.
- Many new results from the BESIII experiment
  - single- and double strange hyperons
  - charm baryons
- Hyperon polarisation provide information about space-like structure *e.g.* charge radius.
- More data collected  $\rightarrow$  STAY TUNED !!!





# Thanks for your attention!





Swedish Research Council

STINT

The Swedish Foundation for International Cooperation in Research and Higher Education





# Backup



- New BESIII study: Search for  $e^+e^- \rightarrow \Omega^-\overline{\Omega}^{+*}$ 
  - No signals seen  $\rightarrow$  only upper limits determined.
  - Will need much larger luminosities to match other hyperon studies\*\*



\*\* Schönning et al., Chin. Phys. C 47, 5, 052002 (2023)



#### Single-strange hyperons

- $\Sigma^+$  Form Factor Ratio:
- $R = \frac{|G_E(q^2)|}{|G_M(q^2)|}$  measured at 2.396 GeV to be 1.83±0.26



