

Status of 5.0 MeV MESA Kicker

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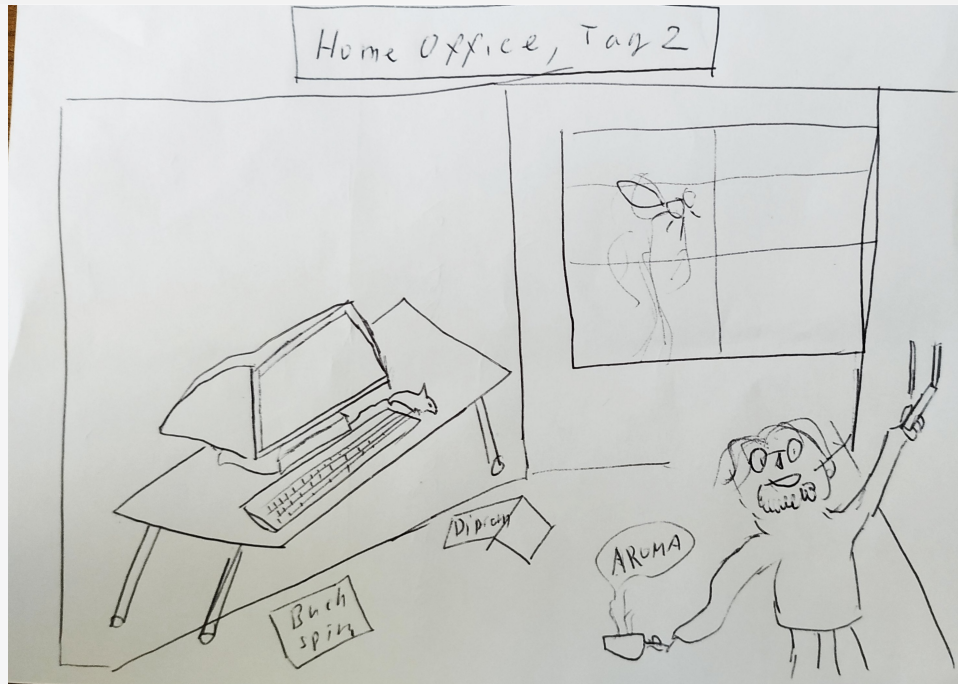
Workshop on Polarized Sources, Targets and Polarimetry 2022
PSTP22

Outline

- 1 Introduction
- 2 Kickers for 5.0 MeV beam line
- 3 Method of evaluation
- 4 Results
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"The second day of lockdown", Mainz, Spring 2020



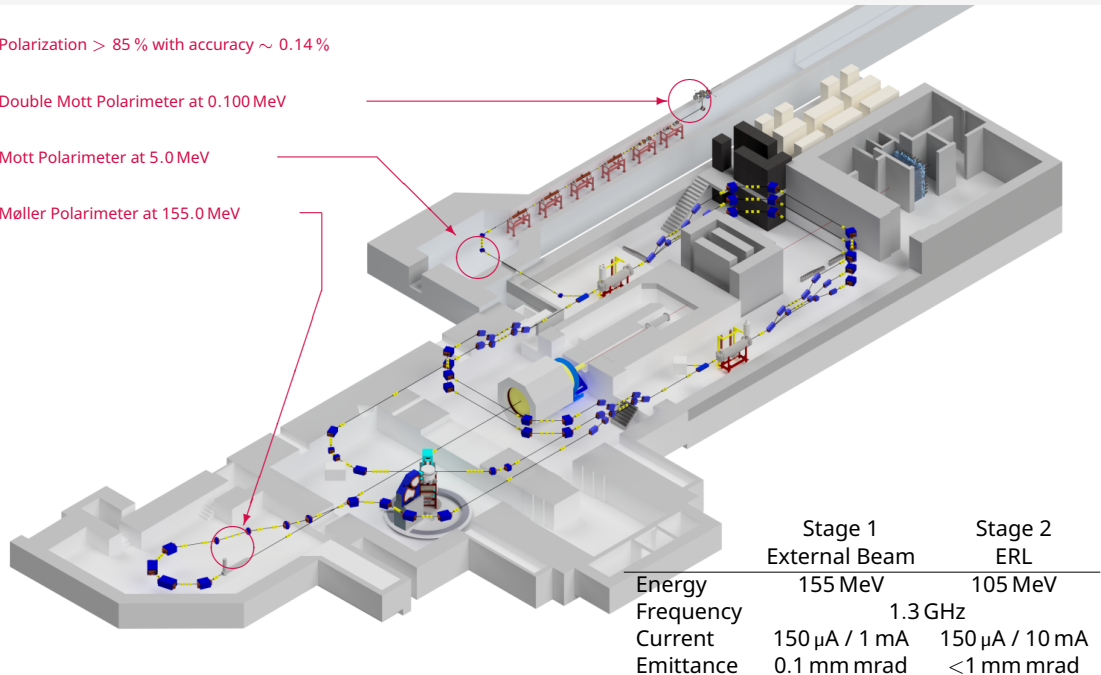
MESA accelerator

Polarization $> 85\%$ with accuracy $\sim 0.14\%$

Double Mott Polarimeter at 0.100 MeV

Mott Polarimeter at 5.0 MeV

Møller Polarimeter at 155.0 MeV



P2 Experiment @ MESA

- MESA accelerator is being built in Mainz
- CW spin polarized electron beam, polarization $\sim 85\%$
- Beam current $\sim 150\ \mu\text{A}$, beam energy $\sim 155\ \text{MeV}$
- Double Mott polarimeter at $100.0\ \text{keV}$ with gold foil targets
- Mott polarimeter at $5.0\ \text{MeV}$ with gold foil targets
- Møller polarimeter at $55.0 - 155.0\ \text{MeV}$ with polarized atomic hydrogen target.
- The goals at MESA $P_{\text{Mott, double}} = P_{\text{Mott, 5.0 MeV}} = P_{\text{Møller, H}}$
- Accuracy $\Delta P < 0.5\%$
- Møller polarimeter measurements in online mode
- Both Mott polarimeters measurements only in offline mode

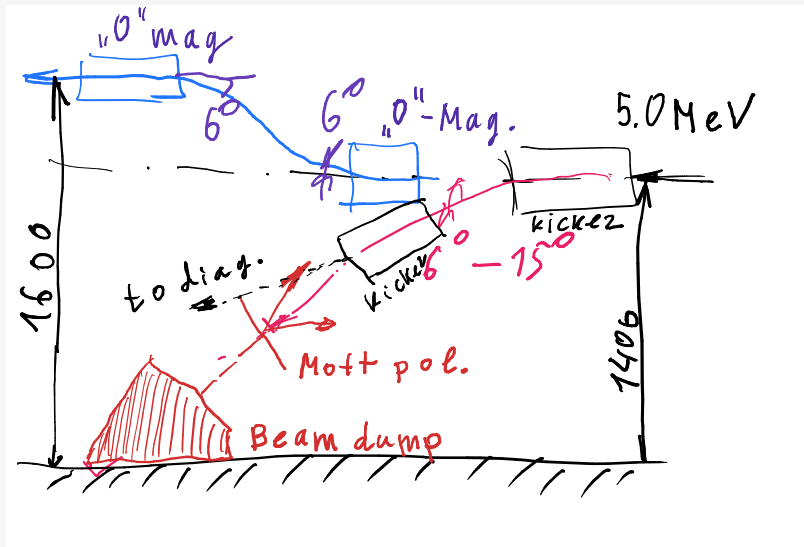
Why kicker is needed

- Beam current $\sim 150 \mu\text{A}$, beam energy $\sim 0.10, 5.0, 155.0 \text{ MeV}$
- The problem is that during a run it is undesirable to switch off or change operation condition because a significant thermal drift of the production laser and/or cathode is possible
- An acceptable duty cycle *d.c.* ~ 0.01 with a switch period $t \sim 1.0 \text{ s}$
- $t_{\text{On/Off}} \sim 0.001 \text{ s}$, $t_{\text{Mott}} \sim 0.010 \text{ s}$ and $t_{\text{beam}} \sim 0.988 \text{ s}$
- $t_{\text{On/Off}} \sim 0.001 \text{ s}$ requires quick iron free kicker

Basic definitions

- Magnetic or electrostatic quick kicker with bend angle $\sim 6.0 - 15.0^\circ$
- $T_{beam} = 5.0 \text{ MeV}$
- m, c, q in SI units
- rigidity: $\rho B = \beta \gamma \frac{mc}{q} = 0.018 \text{ T m}$
- magnetic kicker with $\rho = 2.0 \text{ m}$ requires $B = 0.009 \text{ T}$
- magnetic kicker with $\rho = 1.5 \text{ m}$ requires $B = 0.012 \text{ T}$
- electrostatic kicker with $\rho = 2.0 \text{ m}$ requires $E = 2.7 \frac{\text{MeV}}{\text{m}}$

Beam line - Stairway to heaven



Blue: beam shift line, Black: kicker

Red: Mott polarimeter 5.0 MeV, beam diagnostics, beam dump

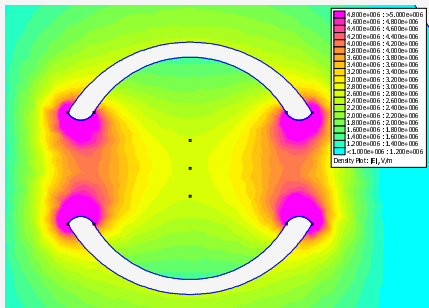
- Beam height above floor should be moved up by 0.2 m
- Bending angle of $6.0 - 15.0^\circ$ in one or two stages possible
- E.g. first stage 7.5° with a kicker, second stage 7.5° with a normal dipole magnet

Courtesy: J. Groth

Outline

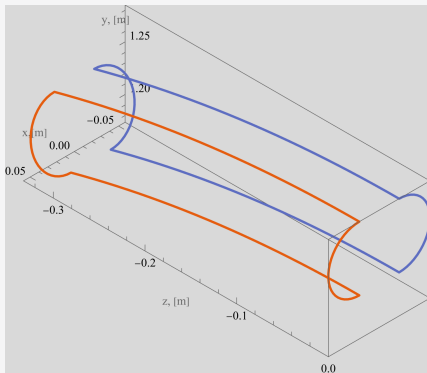
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Electrostatic and magnetic field kickers



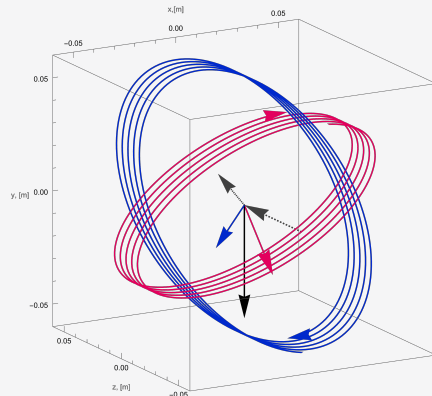
Electrostatic kicker

- electrostatic kicker requires $E = cB = 2.7 \frac{\text{MV}}{\text{m}}$
- with gap = 0.04 m
- operation voltage $U_{\text{plate}} \sim \pm 54.0 \text{ kV}$ would be too high



Bent saddle coil (BSC)

- $R_{\text{coil}} = 1.25 \text{ m}$
- $B_{\text{coil}} = 0.0146 \text{ T}$
- $\theta_{\text{coil}} = 15.0^\circ$
- $CS_{\text{coil}} = 0.030 \times 0.015 \text{ m}$
- $I_{\text{coil}} \sim 622.0 \text{ A} \times \text{turn}$ would be very high



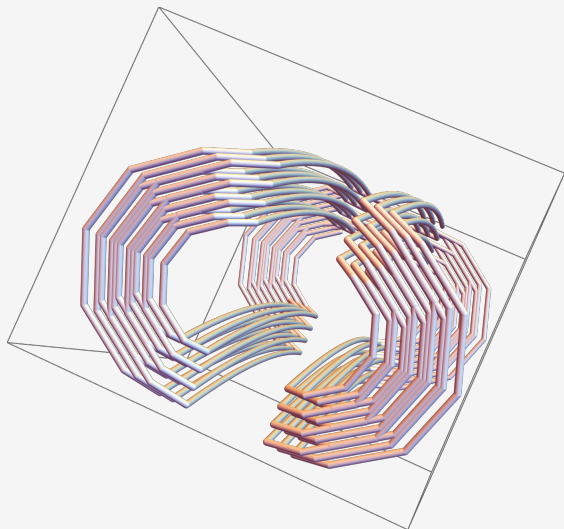
Canted Cosine Theta (CCT)

- proposed in 1970
- two loops induce B field red and blue lines, black line points to summarized B, dashed lines to moving electron

Source: D. Meyer, R. Flasck, *Nuclear Instruments and Methods* **1970**, 80, 339-341

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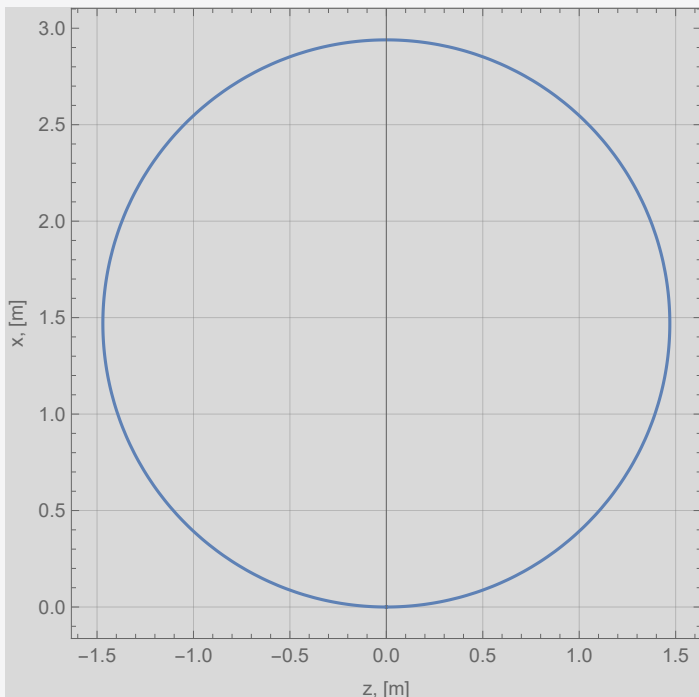
Example: draft view of BSC-Kicker

- Grid of short current segments: `CoilNode[[n]]`
- Grid of segment position: `CoilVector[[n]]`
- Directly using of Biot–Savart law for each segment
- Embarrassingly parallel problem
- Solution of BMT equation of spin movement
- Solution of moving equations

Mathematica Wolfram II

```
E0[{x_, y_, z_}] = {0, 0, 0}; (* magnitic and electric fields *)  
  
B0[{x1_, y1_, z1_}] =  $\frac{\mu_0 I_{coil}}{4 \pi} \sum_{n=1}^{nsum} \frac{\overrightarrow{CoilVector}[[n]] \times (\{x1, y1, z1\} - \overrightarrow{CoilKnode}[[n]])}{\text{Norm}[\{\{x1, y1, z1\} - \overrightarrow{CoilKnode}[[n]]\}]^3};$   
  
r[t_] = {x[t], y[t], z[t]}; (* radius vector *) sp[t_] = {spx[t], spy[t], spz[t]}; (* spin vector *)  
  
solution = NDSolve[Join[  
  löse Diff... verknüpfe  
  Thread[  $\partial_{t,t} r[t] = -\frac{q}{\gamma m c} \left( \frac{1}{c} E0[r[t]] + \partial_t r[t] \times B0[r[t]] \right) ],$   
  fädle auf  
  Thread[  $\partial_t sp[t] = -\frac{q}{\gamma m c} sp[t] \times \left( (1 + a \gamma) B0[r[t]] - \frac{a \gamma^2}{\gamma + 1} (\partial_t r[t] \times B0[r[t]]) - \partial_t r[t] - \gamma \left( a + \frac{1}{\gamma + 1} \right) r[t] \times E0[r[t]] \right) ],$   
  fädle auf  
  Thread[ r[0] == {0.0, sr, Lfree} ], (* {x[0]=0.,y[0]=1.25,z[0]=1.} *)  
  fädle auf  
  Thread[ Evaluate[ $\partial_t r[t] /. t \rightarrow 0 == \{0.0, 0.0, -\beta\} ],$   
  fädle auf |werte aus  
  Thread[ sp[0] == {0, 0, 1} ] ], (* {spx[0]=0, spy[0]=0, spz[0]=1} *)  
  fädle auf  
  {x, y, z, spx, spy, spz}, {t, itime} ]; (* simultaniosly solution of moving and BMT equations *)
```

Mathematica Wolfram. Check on magic energy

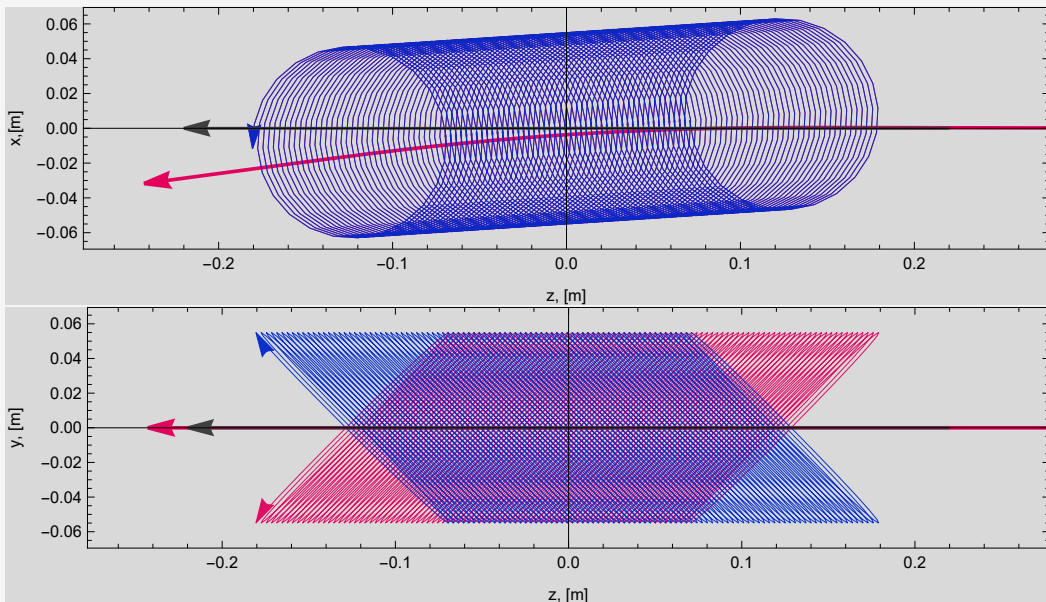


- $g_e = 2.00231930436322$
- $a = \frac{g_e - 2}{2},$
- $\gamma = \frac{N_{spinrotations} - 1}{a}$
- $T_{beam} = (\gamma - 1)m_e$
- $T_{magic} = 440.1, 880.8, 1321.4, 1762.1$ MeV
- started at point $r(0) = \{0, 0, 0\}$ with $sp(0) = \{0, 0, 1\}$
- finished $r(t_f) = \{0, 0, 0\}$ with $sp(t_f) = \{0, 0, 1\}$

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Coils and beam



- $I_{coil} = 22.5 \text{ A}$
- $N_{turns} = 84$
- bending 7.50°
- spin is bent to 7.59°
- $L_{coil} \sim 0.002 \text{ H}$

red and blue - coils, black arrow - without B-field, red arrow - bent beam

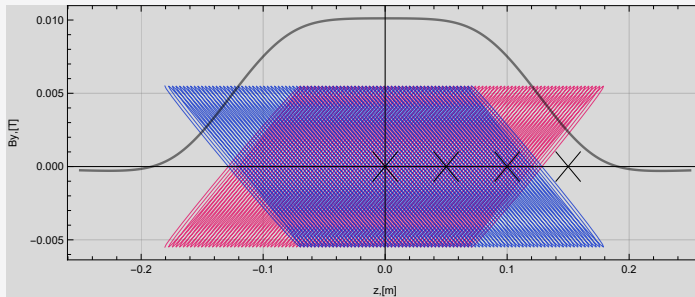
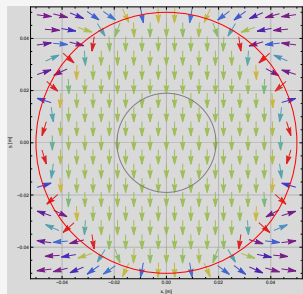
Transfer matrix BSC and CCT cases

$$TM_{BSC} = \begin{pmatrix} 1.031 & 2.368 & 0. & 0. \\ +0.027 & 1.033 & 0. & 0. \\ \epsilon & \epsilon & 0.785 & 2.043 \\ \epsilon & \epsilon & -0.213 & 0.717 \end{pmatrix}$$

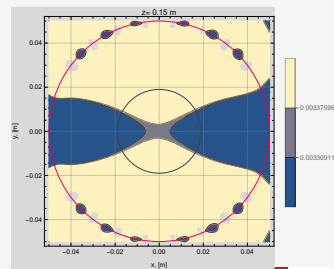
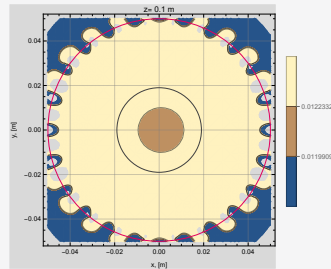
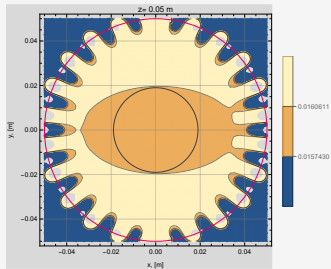
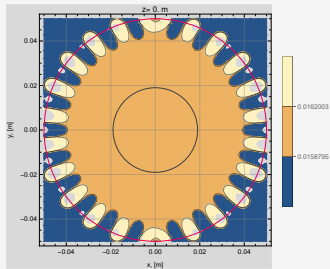
$$TM_{CCT} = \begin{pmatrix} 0.940 & 2.24 & \epsilon & \epsilon \\ -0.055 & 0.927 & \epsilon & \epsilon \\ 0. & 0. & 0.892 & 2.22 \\ 0. & 0. & -0.082 & 0.918 \end{pmatrix}$$

Total 4x4 transfer matrices, with $\epsilon \leq 1.0 \times 10^{-6}$ uncoupled motion of electron.

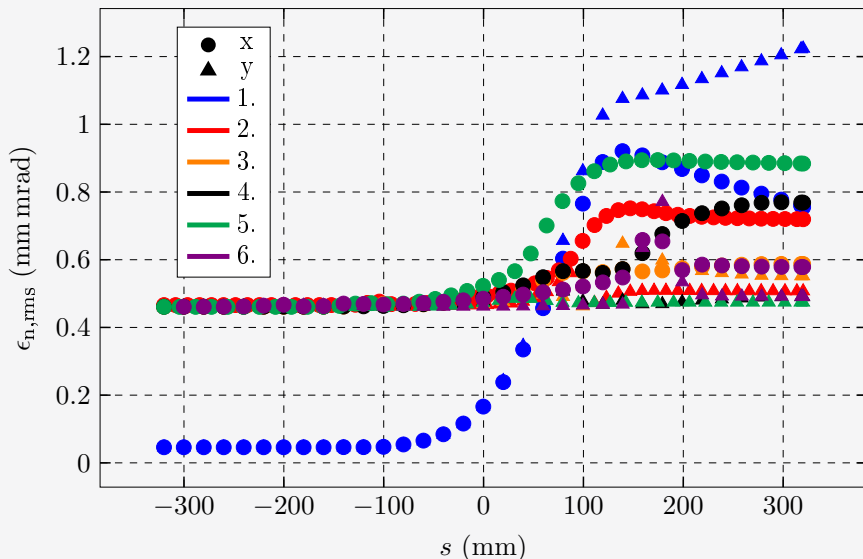
Good field regions



- left: vector map of magnetic field at the center of kicker
- middle: magnetic field profile along z-axis with both coils in background
- lower row: good field region $\pm 1\%$ at marked points



Emittance tracking

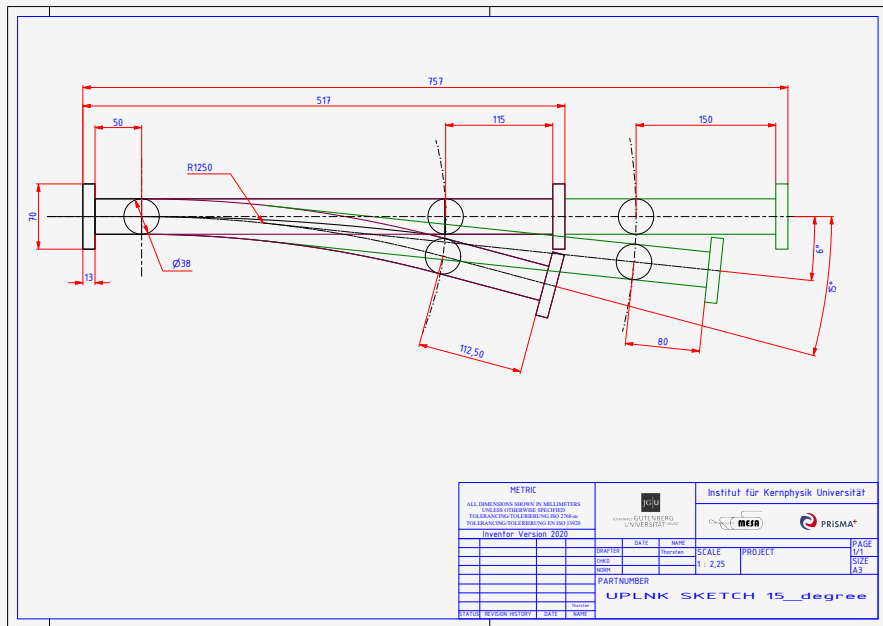


Emittance growth in x and y planes is investigated. Lines from 1 to 5 BSC kickers, line 1 scaled by factor 10, line 6 CCT


Courtesy Dr. Christoph Matejcek, private communications, 2022



Possible mechanical design

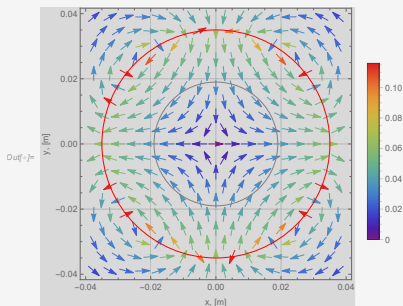


Draft of bending chamber for bending angle from 6° (green) to 15° (black)

Courtesy Th. Feldmann 

Possible applications at MAMI and MESA

- as corrector magnet at low energy $T_{beam} = 100.0$ keV with $d_{coil} = 0.045$ m, current $i_{coil} = 1.0$ A and just 20 turns



- something else

- due to very good field as quadrupole for electron separation at atomic hydrogen target

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Summary and outlook

- CCT kicker is preferred
- Hardware in fabrication

Thank for support

JOHANNES GUTENBERG
UNIVERSITÄT MAINZ

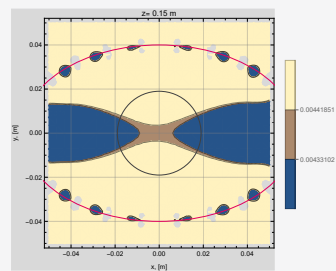
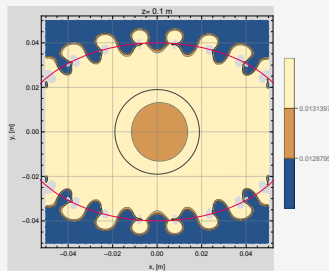
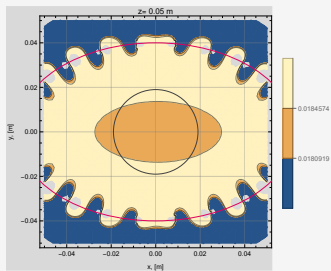
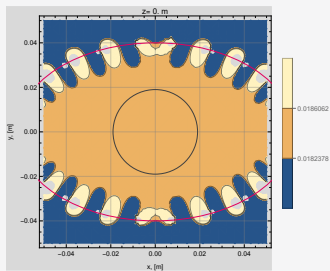


Thank you for your attention!

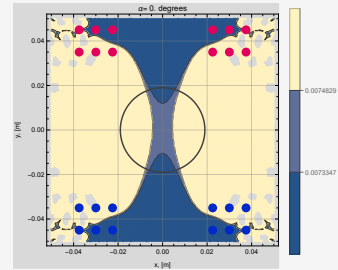
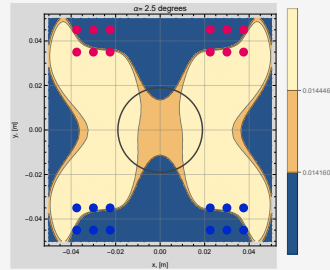
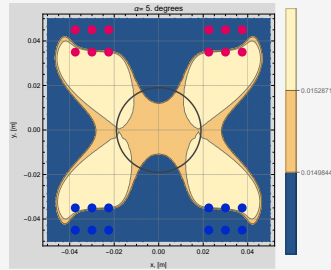
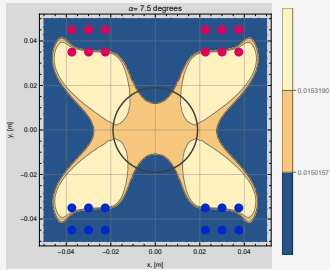
One more thing



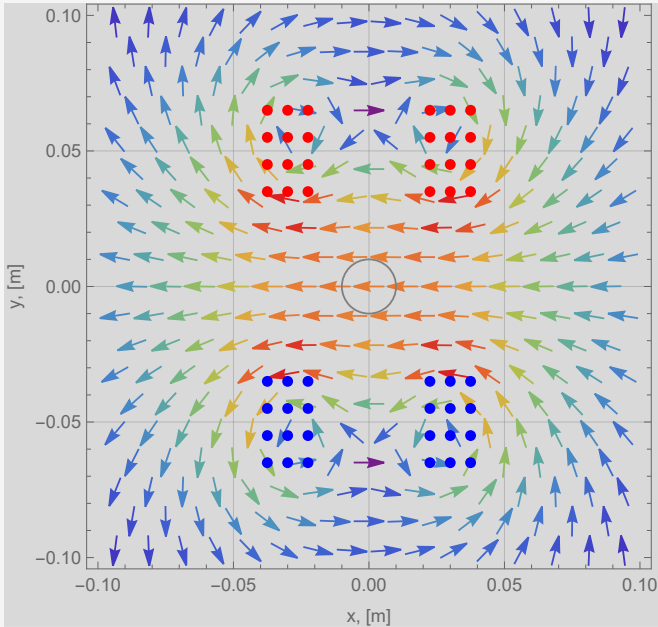
Good field regions for elliptical coil



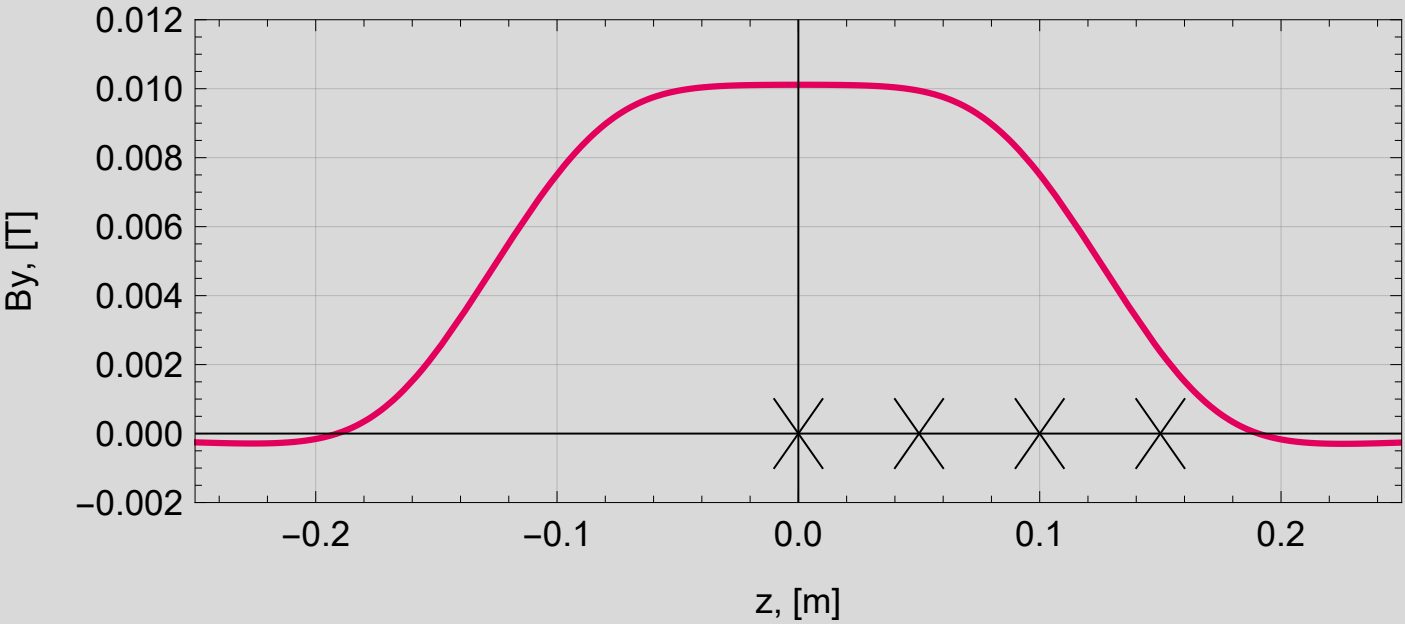
Good field regions for BSC kicker



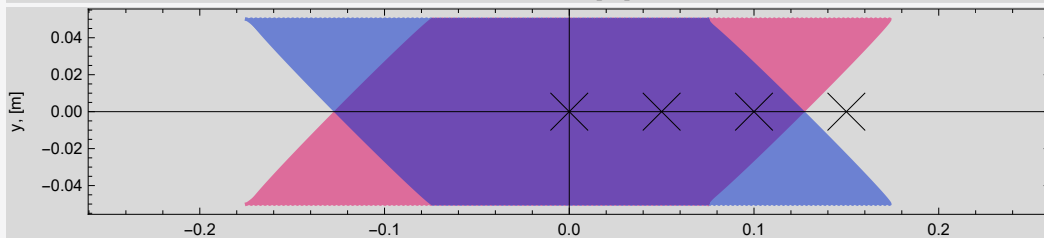
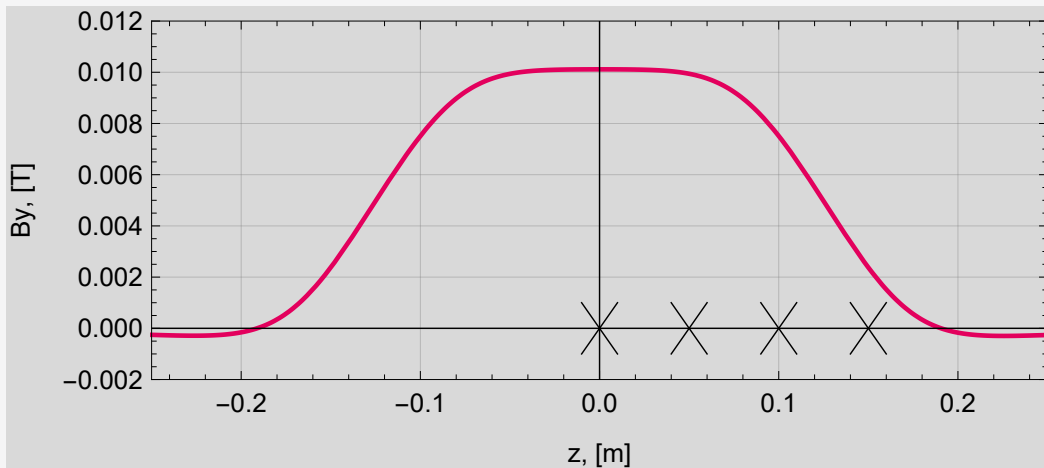
Bx field in center of BSC kicker



Bx field along beam trajectory I



Bx field along beam trajectory II



Transfer matrix BSC and CCT cases II some results

$$\bullet TM_{BSC} = \begin{pmatrix} 1.031 & 2.368 & 0. & 0. \\ +0.027 & 1.033 & 0. & 0. \\ \epsilon & \epsilon & 0.785 & 2.043 \\ \epsilon & \epsilon & -0.213 & 0.717 \end{pmatrix}$$

$$\bullet TM_{CCT} = \begin{pmatrix} 0.940 & 2.24 & \epsilon & \epsilon \\ -0.055 & 0.927 & \epsilon & \epsilon \\ 0. & 0. & 0.892 & 2.22 \\ 0. & 0. & -0.082 & 0.918 \end{pmatrix}$$

- Total 4x4 transfer matrices, with $\epsilon \leq 1.0 \times 10^{-6}$ uncoupled motion of electron.
- in case of parallel start and bending at 7.50° spin is bent to 7.59°
- CCT design of kicker is preferred to BSC one