# Parallel Session Wrap-Up: Origin of Mass

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Matter and the Universe Programmtag, Helmholtz Institute Mainz 13 December 2016









- \* Electroweak symmetry breaking
  - Mass generation via the Higgs mechanism



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- Measure Higgs couplings ⇒ major LHC activity



#### \* Electroweak symmetry breaking

- Mass generation via the Higgs mechanism
- Measure Higgs couplings ⇒ major LHC activity
- Constrain models for physics beyond the SM

#### \* Mass generation of visible matter

- Strongly coupled QCD
- Hadron spectrum & resonances from first principles
- Hadronic uncertainties in precision tests of the SM

### **Origin of Mass: Programme**

### \* Higgs Physics

- Emanuele Bagnaschi (DESY): *Higgs mass computation in BSM physics*
- Florian Staub (KIT): Generic approach for Higgs mass calculations

### \* Strong QCD

- Max Hansen (HIM): Scattering and resonances from finite-volume calculations
- Andreas Nyffeler (JGU): *Theoretical status of the muon g–2*

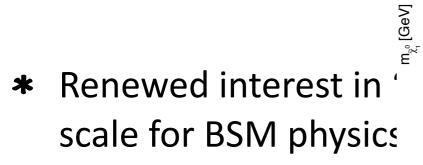
#### **\*** Constraints on BSM physics

- Wolfgang G. Hollik (DESY): Vacuum stability and the origin of mass
- Marco Sekulla (KIT): Unitarization and simplified models for vector boson scattering

### **Higgs Physics and BSM models**

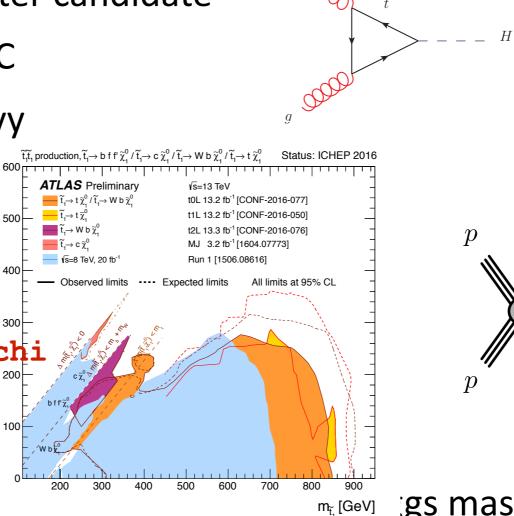
### \* Minimal Supersymmetric Standard Model (MSSM)

- solves the hierarchy problem
- provides a dark matter candidate
- null result at the LHC
- Higgs mass too heavy

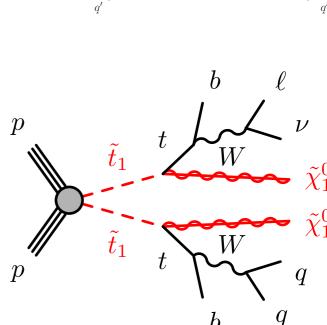


-> Emanuele Bagnasch

Confront MSSM and
 Florian Staub



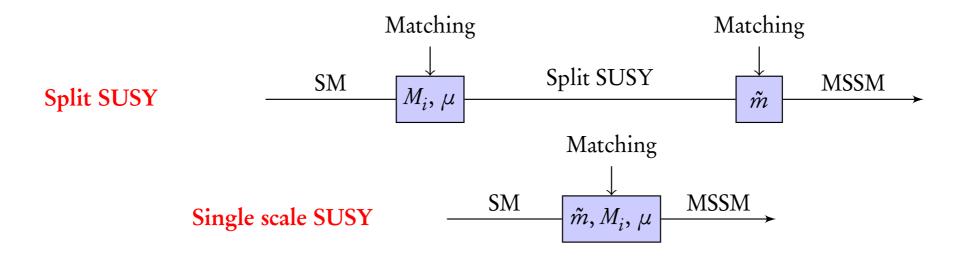
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#### gs mass measurements

### **EFT Approach**

- Higher-order corrections to Higgs mass produce large logarithms
- ⇒ Employ Effective Field Theory approach
  - Problem: mass gap in the physical spectrum makes large logs of the ratio  $m_{\rm ew}/\tilde{m}$  appears in the perturbative expressions.
  - Solution: For a proper computation these logs have to be resummed.
  - Method: define a tower of effective field theories, where the heavy particles are integrated out, and match them at a proper scale. Use RGE to resum the large logarithms.

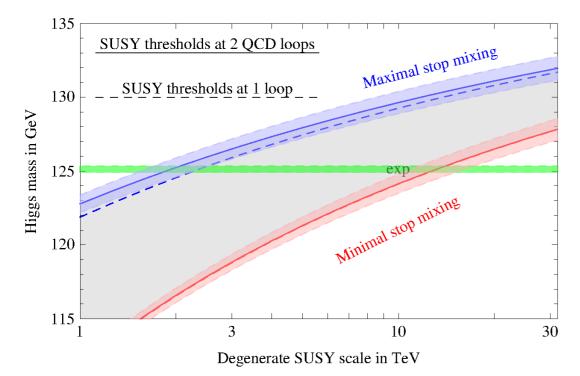


#### Emanuele Bagnaschi

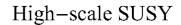
### **Higgs mass predictions in SUSY models**

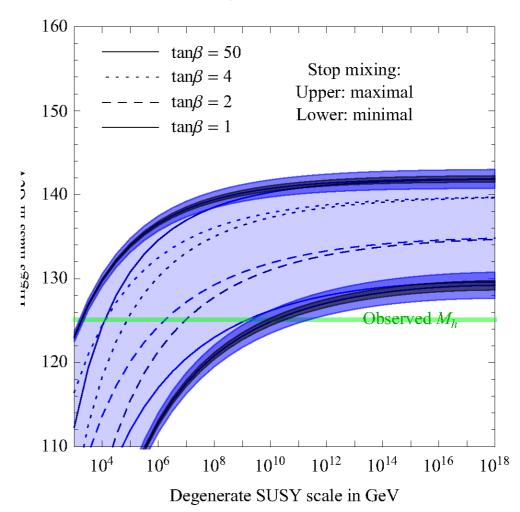
# Quasi-natural SUSY: superpartners of O(10 TeV)

Quasi-natural SUSY,  $\tan\beta = 20$ 



High-scale SUSY: all SUSY particles of  $O(\tilde{m}) \gg \mu_{\rm EW}$ 

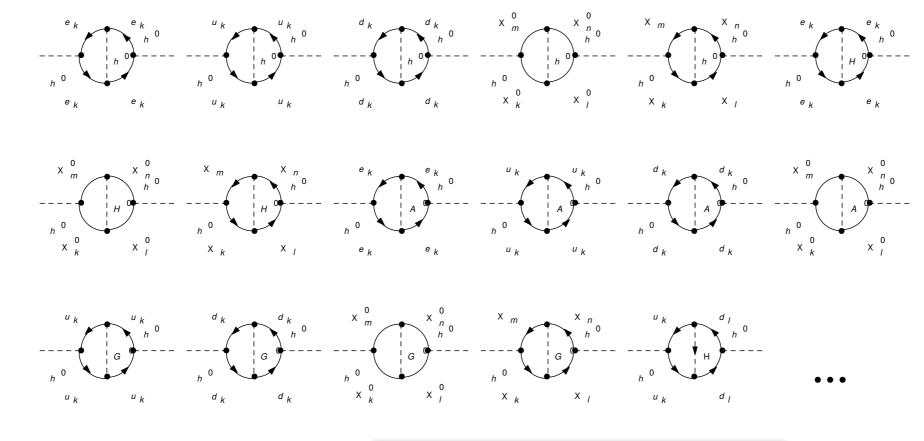




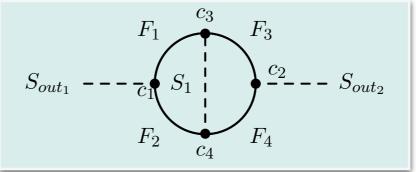
#### Emanuele Bagnaschi

### **Precision Higgs mass calculations in BSM**

Generic Higgs mass calculation



\* Generic diagram:



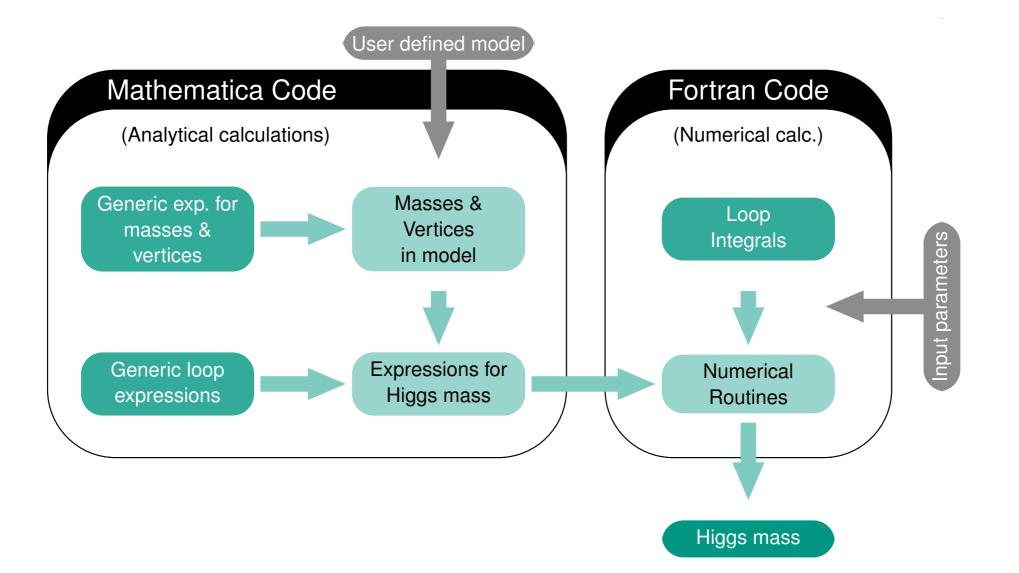
Valid for any model and any real scalar

Florian Staub

### **Precision Higgs mass calculations in BSM**

\* Fully automated two-loop calculations:

SARAH/SPheno



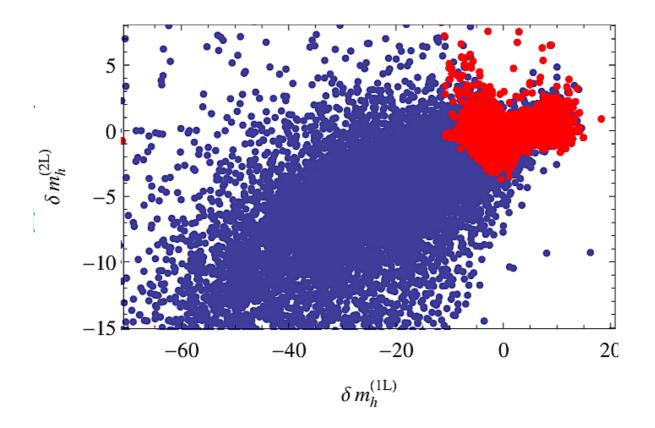
Florian Staub

### **Precision Higgs mass calculations in BSM**

\* Study MSSM beyond Minimal Flavour Violation

$$\mathscr{L}_{SB} = \dots + T_u^{ij} \tilde{u}_i^* \tilde{q}_j H_u + T_d^{ij} \tilde{d}_i^* \tilde{q}_j H_d + T_e^{ij} \tilde{e}_i^* \tilde{l}_j H_d + \text{h.c.}$$

\* Constrain couplings  $T_{u}^{ij}$  in the soft-breaking Lagrangian



Can study NMSSM, vectorlike top partners, Dirac gauginos,...

Florian Staub

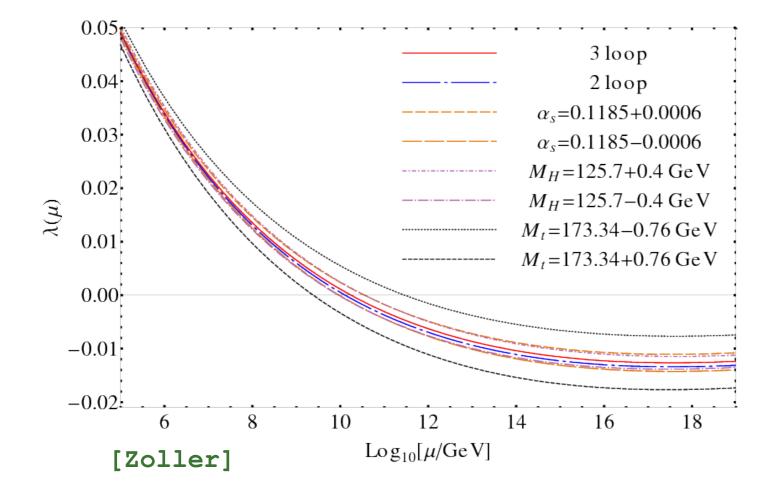
### Vacuum Stability and Origin of Mass

Higgs sector in the SM:

-> Wolfgang G. Hollik

$$V_{\rm SM} = -\mu^2 H^{\dagger} H + \lambda (H^{\dagger} H)^2$$

- BSM: minimum may become unstable
- **\*** Running of quartic self-coupling:  $\lambda = \lambda(Q)$



$$Q \sim H \sim 10^{10} \,\mathrm{GeV}$$

 $\lambda(Q) \rightarrow 0$  for

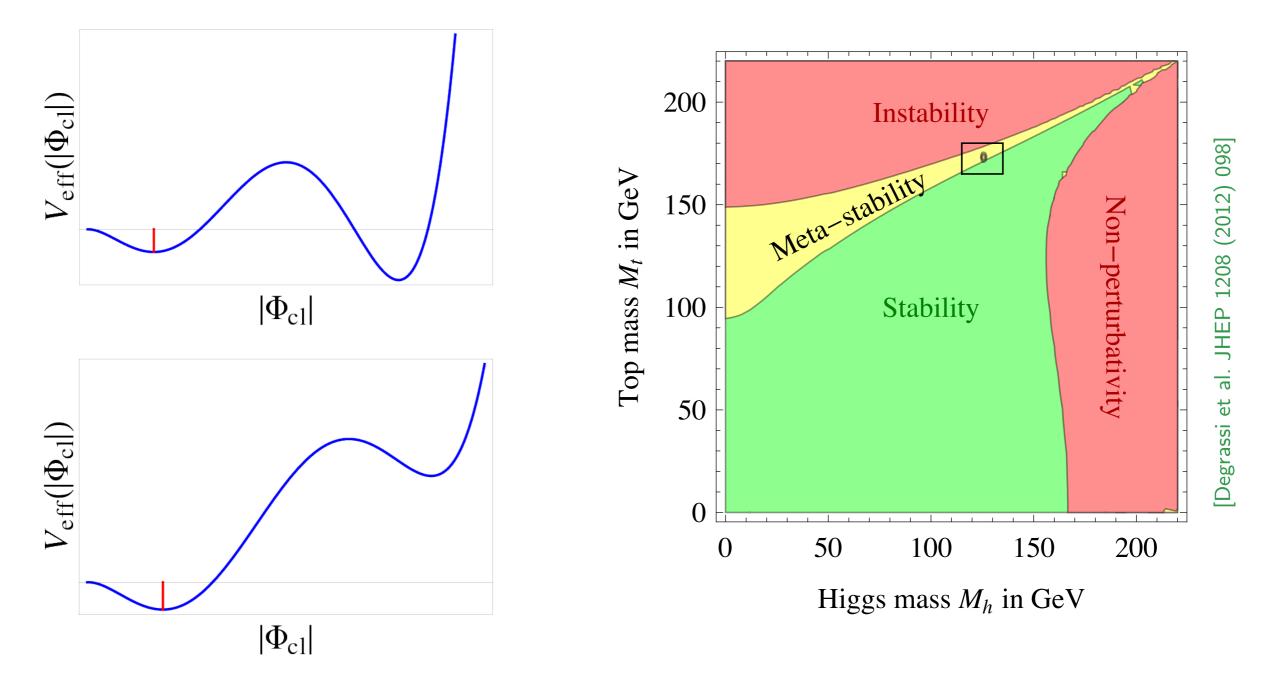
\* Main uncertainties:

 $M_{\rm top}, \alpha_s$ 

### Vacuum Stability and Origin of Mass

Trans-Planckian VEV

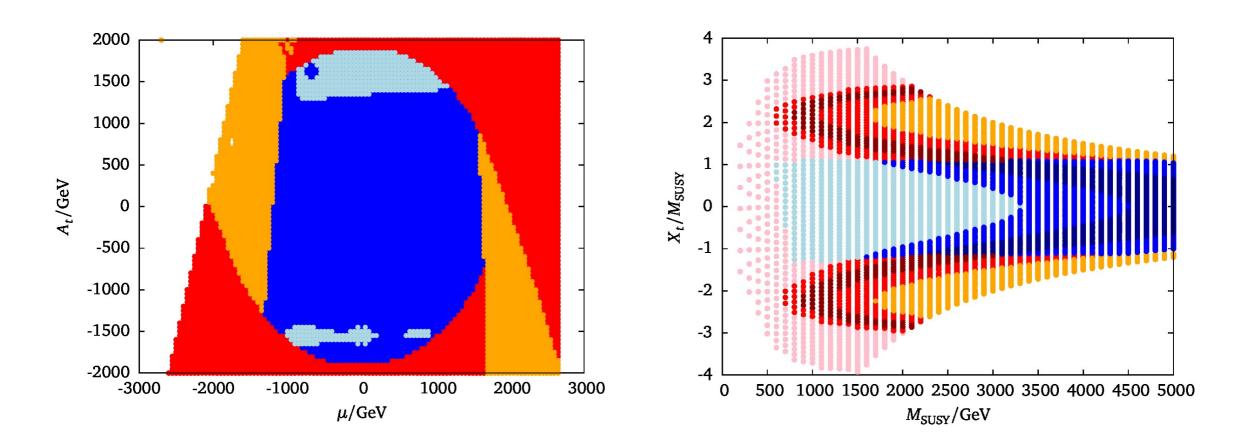
✤ Vacuum Stability



[Zoller]

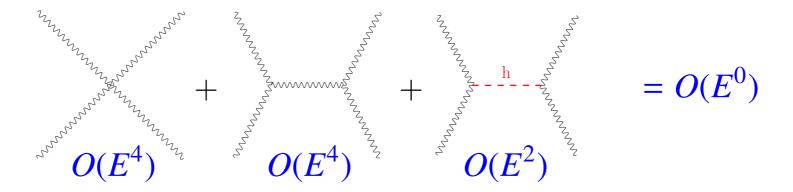
### Vacuum Stability and Origin of Mass

- **\*** BSM model: new particles contribute to the running of  $\lambda$
- Constrain BSM model parameters:
  require global minimum to coincide with EW minimum



### **Vector Boson Scattering**

\* SM: Higgs exchange cancels energy rise in VBS amplitude



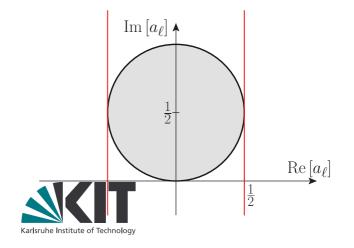
- ★ VBS is sensitive probe for BSM physics: deviation of HVV vertex causes amplitude to grow ~  $O(E^2)$  —> unitarity violations
- \* EFT approach: new physics contributions via higher-dim. operators

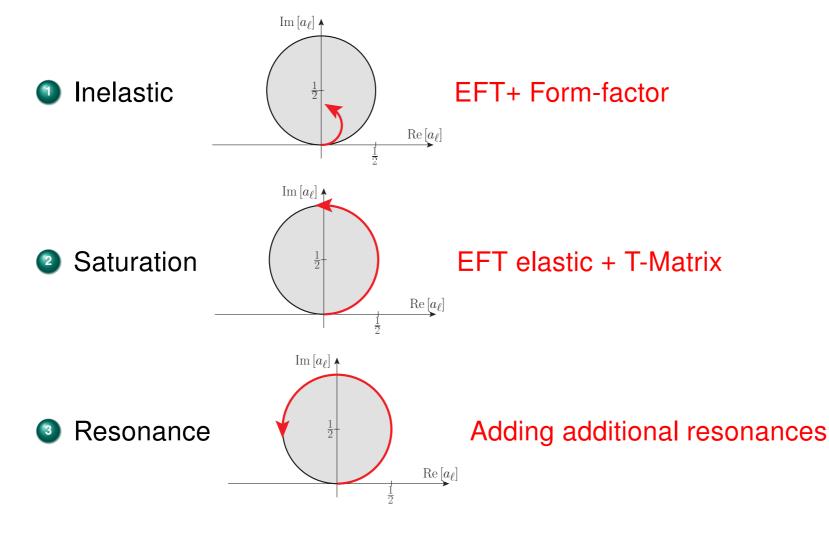
$$\mathcal{L} = \mathcal{L}_{\rm SM} + \sum_{d \ge 4} \frac{C_i}{\Lambda^{d-4}} O_i^d$$

Marco Sekulla

### **Vector Boson Scattering**

- Unitarity implies Argand-circle condition for partial wave amplitude
- **\*** Scenarios for new physics:

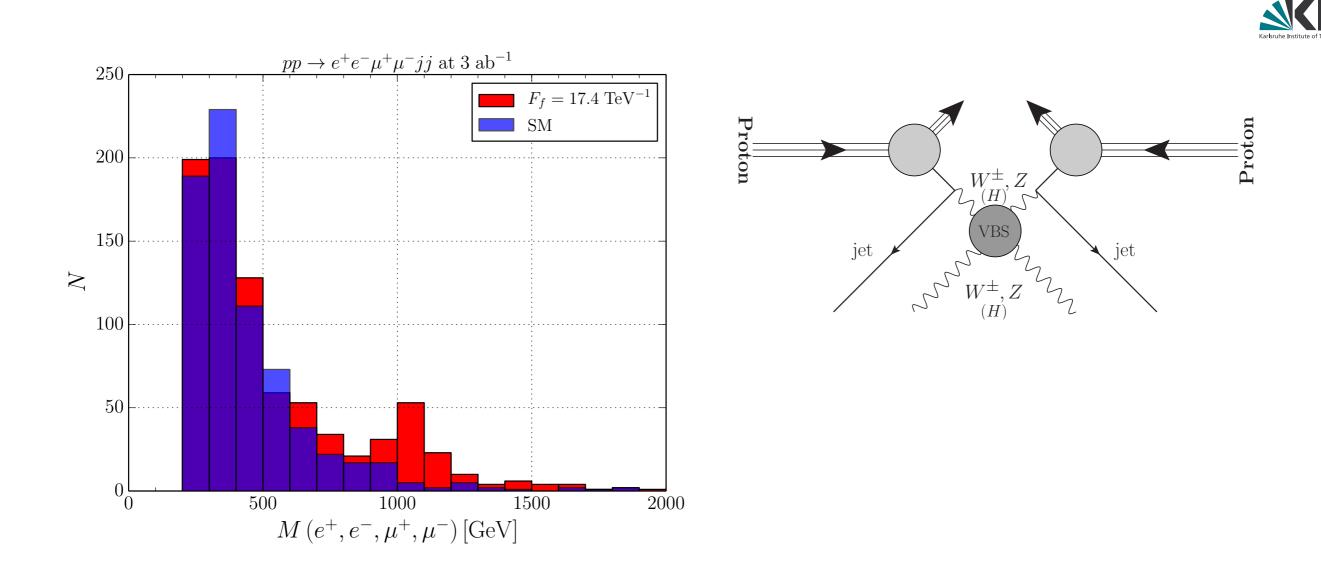




Marco Sekulla

### **Vector Boson Scattering**

Complete LHC process at 14 TeV in a simplified model with extra tensor resonance:



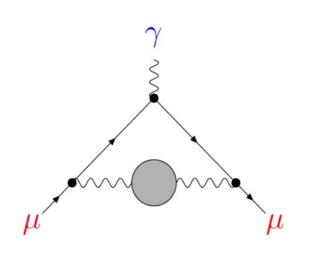
Persistent deviation of 3.6 sigma:

#### -> Andreas Nyffeler

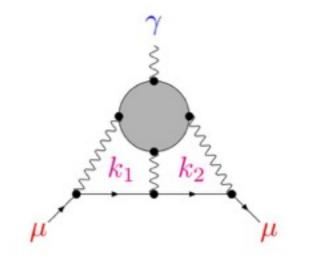
- $a_{\mu} \equiv \frac{1}{2}(g-2)_{\mu} = \begin{cases} 116592080(54)(33) \cdot 10^{-11} & \text{E821} @ \text{BNL} \\ 116591828(43)(26)(2) \cdot 10^{-11} & \text{SM prediction} \end{cases}$

 $a_{\mu}^{\text{SM}} = a_{\mu}^{\text{QED}} + a_{\mu}^{\text{weak}} + a_{\mu}^{\text{had}}$ 

- Theoretical estimate dominated by QED
- Uncertainty of SM prediction dominated by QCD: Hadronic vacuum polarisation:



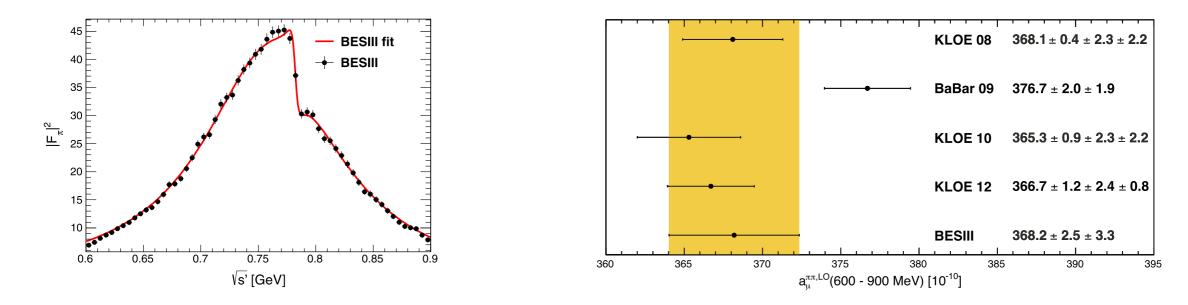
Hadronic light-by-light scattering:



\* Dispersion relations:

$$a_{\mu}^{\text{hvp}} = \left(\frac{\alpha m_{\mu}}{3\pi}\right)^2 \left\{ \int_{m_{\pi}^2}^{E_{\text{cut}}^2} ds \, \frac{R_{\text{had}}^{\text{data}}(s)\hat{K}(s)}{s^2} + \int_{E_{\text{cut}}^2}^{\infty} ds \, \frac{R_{\text{had}}^{\text{pQCD}}(s)\hat{K}(s)}{s^2} \right\}$$

★ Relies on experimental data for hadronic cross section  $R_{had}(e^+e^- \rightarrow hadrons)$ 



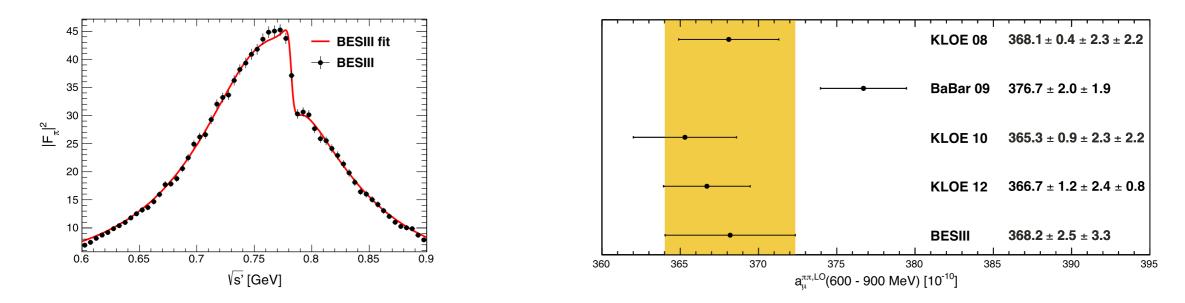
- \* New measurements of pion form factor by BESIII confirm  $3.6\sigma$  tension
- \* Lattice QCD: Major effort in to compute  $a_{\mu}^{hvp}$ ; Current precision: O(5%)

#### Andreas Nyffeler

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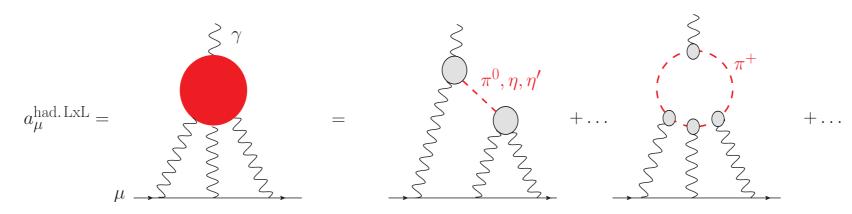


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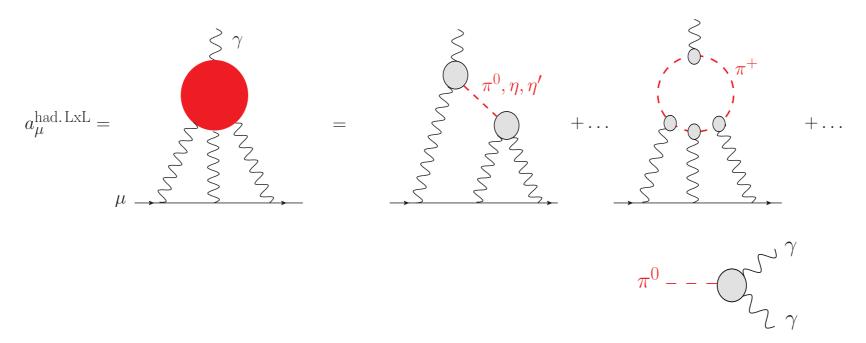
#### Andreas Nyffeler

### Hadronic Light-by-Light Scattering



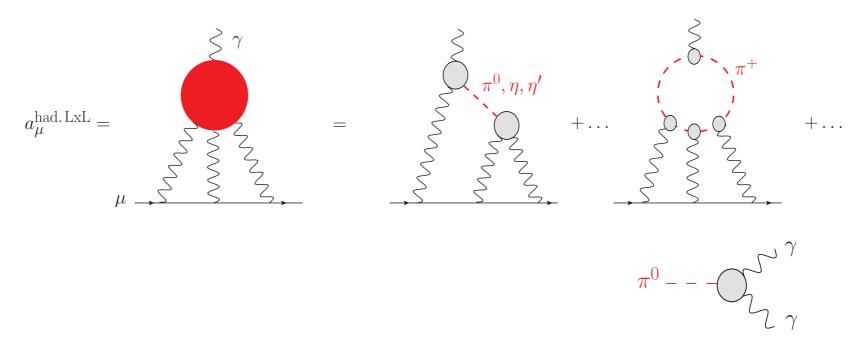
- Use hadronic models at low energies; exchange/loop contributions from resonances and dressed quark loops at high energies
- \* New approach: **Dispersion relations** to connect dominant light PS contributions to measurable form factors, e.g.  $\gamma^* \gamma^* \to \pi^0, \eta, \eta'$
- \* Lattice QCD: RBC/UKQCD Collab. (2005–2016), Mainz (2015/16)
- \* Various new physics scenarios to explain  $a_{\mu}^{exp} a_{\mu}^{SM} = (290 \pm 90) \cdot 10^{-11}$ SUSY @ large tan  $\beta$ , dark photons,... Andreas Nyffeler

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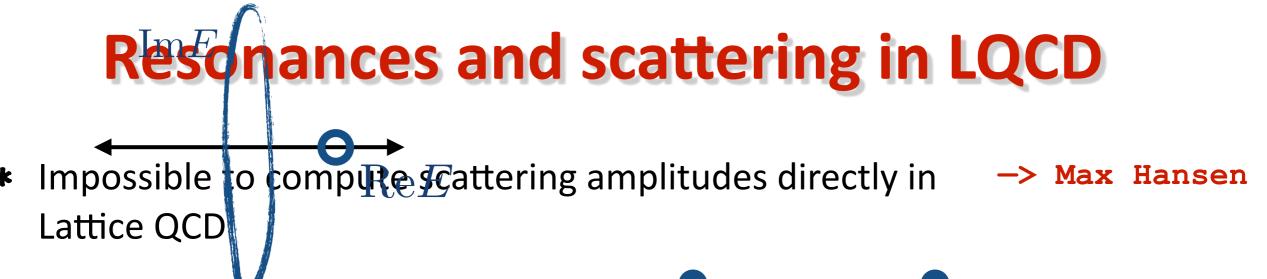
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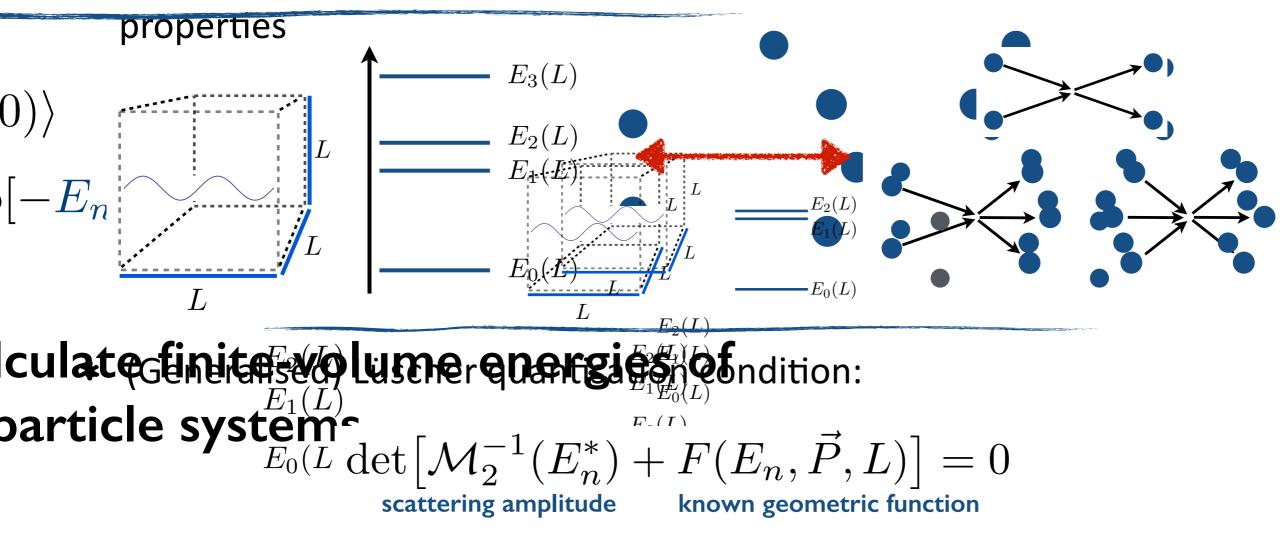
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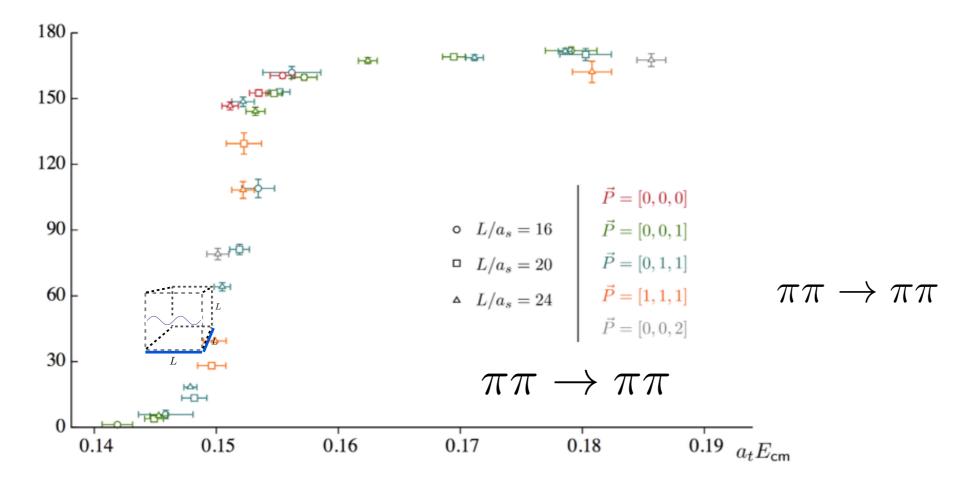
★ Can obtain energy levels in a finite box -> relation to resonance



### **Resonances and scattering in LQCD**

★ Simplest case: 2 → 2 scattering

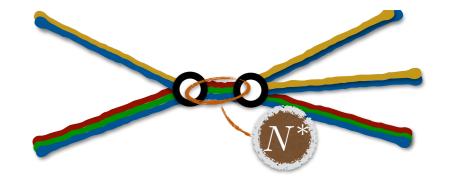
 $\cot \delta_{\ell=1}(E_n^*) + \cot \phi(E_n, \vec{P}, L) = 0$ 



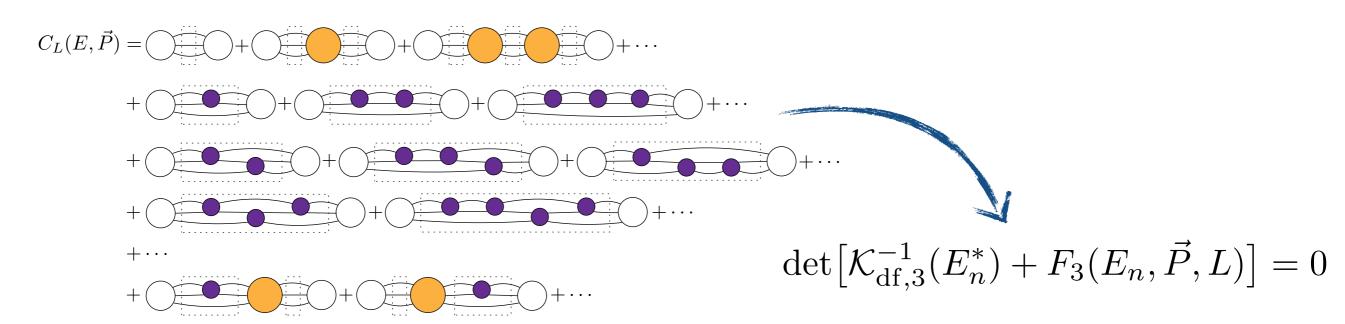
Max Hansen



- Derive generalisation for arbitrary two- and three-particle systems
- \* Relevant for 3-particle resonances, weak decay amplitudes  $K \rightarrow \pi\pi\pi$ , ...  $N(1440) \rightarrow N\pi, N\pi\pi$



\* Formalism complete for simplest three-particle system



# Summary

### Many efforts to constrain BSM models

- Higgs mass calculations
- Vacuum stability
- Vector boson scattering
- Low-energy precision observables

#### Methods

• Effective field theories, multi-loop calculations, lattice simulations

#### **Understand hadronic uncertainties**

• strong coupling  $\alpha_s$ , hadronic contributions to (g-2)